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# AN IMPACT COEFFICIENT OF EVAPORATIVE DEMAND ON PLANT WATER BALANCE

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KITANO M. and EGUCHI H. An impact coefficient of evaporative demand on plant water balance. BIOTRONICS 22, 61–72, 1993. A coefficient was newly defined to evaluate the impact of evaporative demand on plant water balance, which we propose to call "impact coefficient (Imp)". Imp varied from 0 to 1 with increase in ratio  $(G_{\rm S}/G_{\rm AV})$  of tomatal conductance  $(G_{\rm S})$  to leaf boundary layer conductance  $(G_{\rm AV})$ , and the impact of evaporative demand  $(ED_{\rm A})$  was evaluated by  $Imp \times ED_{\rm A}$ . Imp became lower in small leaves plants and CAM plants which are adapted to sunny, hot and dry conditions in desert regions. Their lower Imp's bringing smaller impacts of  $ED_{\rm A}$  can be considered reasonably to contribute their adaptabilities to the desert conditions. Furthermore,  $\Delta ED_{\rm A}$  and  $\Delta Imp$  triggered dynamics of plant water relations through the water balance, and midday stomatal depression on a fair day was attributed to larger  $\Delta ED_{\rm A}$  and  $\Delta Imp$  but not to higher transpiration rate. Thus, environmental effects on plant water relations can be confirmed quantitatively in terms of the impact coefficient of evaporative demand.

**Key words:** Evaporative demand; plant water balance; impact coefficiect; stomatal movement; desert plants.

# INTRODUCTION

Transpirational water loss from plants is induced by evaporative demand of the environment and is partially controlled by stomatal movement. In meteorological studies on transpiration (4,5,16--19), the sensitivity of transpiration to a change in stomatal conductance has been analyzed in the spatial scale from a leaf to a region by using a leaf-atmosphere decoupling coefficient  $(\Omega)$ , which has been introduced by Jarvis and McNaughton (5) to indicate the dependence of transpiration on change in stomatal conductance. Through processes of plant water balance, however, change in evaporative demand of environment affects plant water relations such as stomatal movement and leaf expansive growth (13,14,15). Therefore, quantitative analyses of the impact of evaporative demand on plant water balance are essential for better understanding of environmental effects on plant water relations.

By using physical environmental factors, we have evaluated evaporative demand as an evaporation rate from a wetted surface on the basis of heat balance (10, 11), and effects of step change in the evaporative demand on

whole plant water balance, stomatal movement and leaf growth have been demonstrated to appear in different patterns under different conditions of environment (13, 14).

The present paper deals with a new definition of a numerical coefficient evaluating the impact of evaporative demand on plant water balance, and also deals with identification of the coefficient under various environmental conditions.

# DEFINITION OF IMPACT COEFFICIENT OF EVAPORATIVE DEMAND

Evaporative demand  $(ED_A)$  per unit leaf area was defined on the basis of heat balance by using short wave irradiance, air temperature, air humidity and wind velocity as follows (10, 11)

$$ED_{\rm A} = \frac{2C_{\rm p} \rho G_{\rm E}SD + \Delta \{aR_{\rm S} - 2\sigma\varepsilon_{\rm L}(1 - \varepsilon_{\rm A})T_{\rm A}^{\ 4}\}}{\{(2/n)\gamma(G_{\rm E}/G_{\rm AV}) + \Delta\}\lambda} \tag{1}$$

with

$$G_{\rm E} = G_{\rm AH} + G_{\rm R} = G_{\rm AH} + 4\varepsilon_{\rm L}\sigma T_{\rm E}^3/C_{\rm p}\rho \tag{2}$$

where the symbols are explained in APPENDIX I.

Eq. (1) gives a theoretical expression of evaporation rate from a wetted surface, which can integrate dependences of evaporative demand on different environmental factors and leaf dimension (12).  $ED_{\rm A}$  is independent of physiological stomatal function and can be evaluated from only physical environmental factors.

In a real leaf with stomatal function, leaf conductance  $(G_L)$  for vapor transfer from leaf to the environment can be expressed by using stomatal conductance  $(G_S)$  in addition to leaf boundary layer conductance  $(G_{AV})$  as follows

$$G_{\rm L} = G_{\rm S} \ G_{\rm AV}/(G_{\rm S} + G_{\rm AV}) \tag{3}$$

By substituting  $G_L$  for  $G_{AV}$  into Eq. (1), a theoretical expression of transpiration rate  $(E_{AT})$  from unit area of a real leaf was given as

$$E_{\rm AT} = \frac{2C_p \rho G_E SD + 2\{aR_S - 2\sigma\varepsilon_L (1 - \varepsilon_A)T_A^4\}}{\{(2/n)\gamma(G_E/G_L) + 2\}\lambda}$$
(4)

By Eqs (1) and (4),  $E_{\rm AT}$  was related to  $ED_{\rm A}$  as follows

$$E_{\rm AT} = Imp \times ED_{\rm A} \tag{5}$$

where

$$Imp = \frac{C}{C + G_{AV}/G_{S}} = \frac{C}{C + 1/(G_{S}/G_{AV})}$$
(6)

and

$$C = 1 + n\Delta G_{AV}/(2\gamma G_{E}) = 1 + n\Delta G_{AV}/\{2\gamma (G_{AH} + G_{R})\}$$
(7)

 $E_{\mathrm{AT}}$  can be considered as a theoretical rate of transpirational water loss

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caused by  $ED_{\rm A}$ . That is,  $E_{\rm AT}$  quantitatively indicates the impact of  $ED_{\rm A}$  on plant water balance. From Eq. (5), it can be suggested that dynamics of plant water balance is affected by changes in  $ED_{\rm A}$  and Imp as follows

$$\Delta E_{\rm AT} = Imp \times \Delta ED_{\rm A} + ED_{\rm A} \times \Delta Imp + \Delta ED_{\rm A} \times \Delta Imp \tag{8}$$

Thus,  $ED_A$  can be a measure of evaporative demand as a physical input to plant hydraulic system, and it's impact on plant water balance depends on Imp. Therefore, Imp can be a measure to evaluate the impact of  $ED_A$  on plant water balance, and we propose to call Imp "impact coefficient" of evaporative demand.

# CHARACTERISTICS OF IMPACT COEFFICIENT

# General characteristics

Eq. (6) indicates that Imp has no dimension and varies from 0 to 1 depending on  $G_{\rm S}$ ,  $G_{\rm AV}$  and C.  $G_{\rm S}$  varies with stomatal aperture which is affected by environmental factors through leaf water balance.  $G_{\rm AV}$  is characterized by three different forms of leaf-to-air convection (3, 9, 21, 22).  $G_{\rm AV}$  under forced convection mainly depends on wind velocity (U) and leaf characteristic dimension (d);  $G_{\rm AV}$  becomes higher at higher U and at smaller d. On the other hand,  $G_{\rm AV}$  under free convection becomes higher at larger temperature difference ( $T_{\rm L}-T_{\rm A}$ ) between leaf and air. Futhermore, under the condition with lower U, larger d and larger  $T_{\rm L}-T_{\rm A}$ , mixed convection (forced convection+free convection) becomes the dominant form of the convection (9). Leaf boundary layer conductances for these three forms of convections are

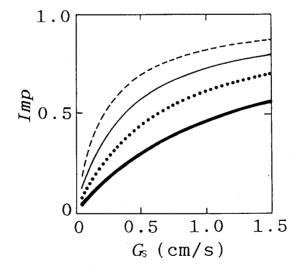


Fig. 1 Relationship between impact coefficient (Imp) of evaporative demand and stomatal conductance  $(G_S)$  at different leaf boundary layer conductances  $(G_{AV})$  of 0.5 (---), 1.0 (---), 2.0  $(\cdot \cdot \cdot)$  and 4.0 (----) cm/s under an equivalent temperature  $(T_E)$  of 25 °C.

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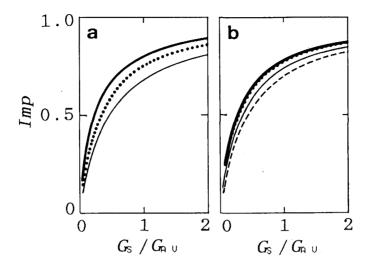


Fig. 2 Relationship between impact coefficient (Imp) of evaporative demand and ratio  $(G_s/G_{AV})$  of stomatal conductance  $(G_s)$  to leaf boundary layer conductance  $(G_{AV})$ : (a), the relationship under different equivalent temperatures  $(T_E)$  of 15 (---), 25  $(\cdot \cdot \cdot)$  and 35 (---) °C at  $G_{AV}$  of 1.0 cm/s; (b), the relationship under different  $G_{AV}$ 's of 0.5 (---), 1.0 (---), 2.0  $(\cdot \cdot \cdot)$  and 4.0 (---) cm/s at  $T_E$  of 25 °C.

expressed in APPENDIX II. A physical parameter C depends on n,  $\Delta$ ,  $\gamma$ ,  $G_{\rm AV}$ ,  $G_{\rm AH}$  and  $G_{\rm R}$  (=4 $\varepsilon_{\rm L}\sigma T_{\rm E}{}^3/C_p\,\rho$ ) as expressed by Eq. (7). C is also influenced by the equivalent temperature ( $T_{\rm E}$ ), because the slope ( $\Delta$ ) of saturation vapor density curve and the radiative transfer conductance ( $G_{\rm R}$ ) largely depend on  $T_{\rm E}$ ;  $T_{\rm E}$  was evaluated as ( $T_{\rm L}+T_{\rm A}$ )/2 by using  $T_{\rm L}$  estimated in APPENDIX II.

Figure 1 shows distribution of Imp on  $G_R$  under different conditions of  $G_{AV}$  at  $T_E$  of 25°C. Imp increased with  $G_S$ , and its increase rate became higher at lower  $G_S$  and at lower  $G_{AV}$ . Furthermore, Imp became lower at the higher  $G_{AV}$ . Figure 2 shows distribution of Imp on  $G_S/G_{AV}$  under different conditions of  $T_E$  and  $G_{AV}$ . Imp increased with increase in  $G_S/G_{AV}$ , and its increase rate became higher at lower  $G_S/G_{AV}$ . Furthermore, the increase pattern of Imp with  $G_S/G_{AV}$  was scarcely affected by  $T_E$  and  $G_{AV}$ . Thus, Imp varies from 0 to 1 mainly depending on  $G_S/G_{AV}$  which is determined by stomatal function in a leaf and physical processes of convection in the leaf boundary layer.

# Characteristics in desert plants

It has been well known that plants with small leaves and plants with CAM (crassulacean acid metabolism) are adaptable to sunny, hot and dry conditions of desert regions (3, 21, 22). For the small leaves plants, there has been a well established rule that their small dimension (d) brings high  $G_{\rm AV}$  and  $G_{\rm AH}$  which prevent highly irradiated leaves from excessive temperature rise by the strong convective coupling between leaves and atmosphere (3, 20-22). However, this high  $G_{\rm AV}$  of small leaves can be estimated to impose high evaporative demand through the storong convective coupling, which is

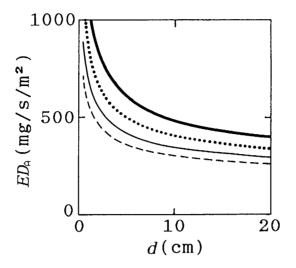


Fig. 3 Relationship between evaporative demand  $(ED_{\rm A})$  and leaf characteristic dimension (d) at different wind velocities (U) of 25 (---), 50 (---), 100  $(\cdot \cdot \cdot)$  and 200 (---) cm/s under a desert condition simulated with a high solar irradiance of 800 W/m², a high air temperature of 40 °C and a high saturation deficit of 40 g/m³.

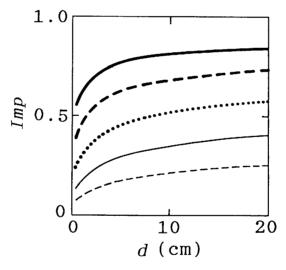


Fig. 4 Relationship between impact factor (Imp) of evaporative demand and leaf characteristic dimension (d) at different stomatal conductances ( $G_s$ ) of 0.1 (---), 0.2 (---), 0.4 (···), 0.8 (----) and 1.6 (----) cm/s under a desert condition simulated with a high solar irradiance of 800 W/m², a high air temperature of 40 °C and a high saturation deficit of 40 g/m³ at a wind velocity of 100 cm/s.

unfavorable for adaptation to desert conditions.

Figure 3 shows distribution of  $ED_{\rm A}$  on d at different U's under a desert condition simulated with  $T_{\rm A}$  of 40 °C, SD of 40 g/m³ and  $R_{\rm S}$  of 800 W/m². For

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very small leaves with d smaller than 5 cm,  $ED_A$  remarkably increased with decrease in d under all conditions of U. Figure 4 shows distribution of Imp on d at different  $G_S$ 's under the simulated desert condition. In contrast with  $ED_A$ , Imp of leaves smaller than 5 cm remarkably decreased with decrease in d. This decrease of Imp in smaller leaves can be estimated to compensate the unfavorably increased  $ED_A$ . Furthermore, the lower Imp at lower  $G_S$  can indicate that CAM plants have lower Imp under high irradiance, because their stomata primarily close during the daytime. Thus, small leaves plants and CAM plants adaptable to desert conditions have the lower Imp under the high  $ED_A$  condition.

#### DYNAMICS OF WATER RELATIONS AND IMPACT COEFFICIENT

Oscillations in plant water relations such as transpiration, root water uptake, stomatal movement and leaf expansive growth have been observed to be triggered by changes in environmental factors such as irradiance, humidity and wind velocity (e.g. 1, 2, 6–8, 13, 14, 15): Changes in environmental factors imposed  $\Delta E_{\rm AT}$  on plant water balance, and transient unbalance between transpirational water loss and root water uptake resulted in oscillations in plant water relations. From those observations, it can be suggested that larger  $\Delta E_{\rm AT}$  brings larger amplitude in the oscillations. That is, the instability of plant water relations can be estimated to depend on  $\Delta E_{\rm AT}$  which is brought by not only  $\Delta ED_{\rm A}$  but  $\Delta Imp$  as indicated by Eq. (8).

Under diurnal variations of solar irradiance, stomatal depression around fair midday has been observed even under well watered conditions (11, 21, 23–25). However, physical and physiological conditions which induce midday stomatal depression (MSD) have remained to be known well. Therefore, we examined diurnal variations of transpiration, stomatal movement and the impact of  $ED_A$  on well watered cucumber plants (Cucumis sativus L. cv Chojitsu–Ochiai) on a fair day under different conditions of  $ED_A$  in three natural light growth chambers: In each growth chamber,  $ED_A$  was controlled around the respective desired values ( $SED_A$ ) of 140, 80 and 20 mg/m²/s by manipulating relative humidity (RH) according to variation in solar irradiance ( $R_S$ ). Transpiration rate per leaf area ( $E_A$ ) was measured by weighing the plant and pot.  $G_S$  was evaluated from  $E_A$  and leaf temperature measured by fine thermocouples, and then Imp was evaluated from Eq. (6).

Figure 5 shows diurnal variations of  $R_{\rm S}$ , RH,  $ED_{\rm A}$ ,  $E_{\rm A}$ ,  $G_{\rm S}$  and Imp. In two growth chambers with higher  $SED_{\rm A}$  conditions (i.e. lower humidity conditions), RH's were manipulated in the respective ranges from 30% (night) to 45% (midday) and from 55% (night) to 75% (midday), and each  $ED_{\rm A}$  was kept constant at 140 mg/m²/s and 80 mg/m²/s. In the growth chamber with the lowest  $SED_{\rm A}$  of 20 mg/m²/s (i.e. the highest humidity condition), RH was manipulated in the range from 80% (night) to 95% (midday), and  $ED_{\rm A}$  was kept lower than 50 mg/m²/s:  $ED_{\rm A}$  was controlled at  $SED_{\rm A}$  of 20 mg/m²/s under lower  $R_{\rm S}$  condition but increased to 50 mg/m²/s at fair midday by the

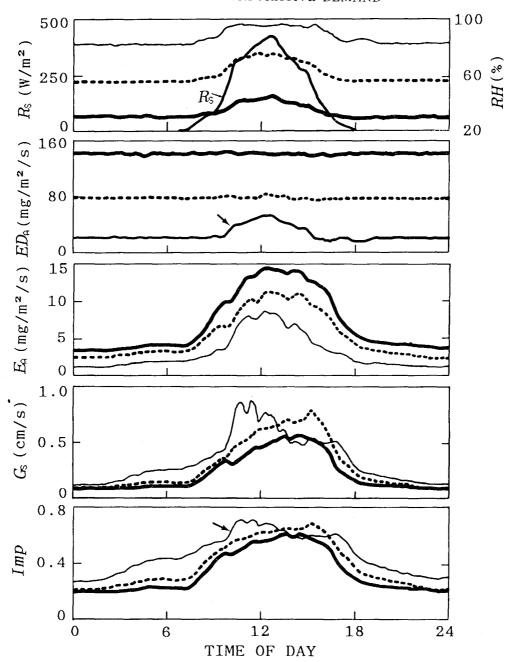


Fig. 5 Diurnal variations of solar irradiance  $(R_{\rm S})$ , relative humidity (RH), evaporative demand  $(ED_{\rm A})$ , impact factor (Imp), transpiration rate  $(E_{\rm A})$  and stomatal conductance on a fair day in three natural light growth chambers, where the respective desired values  $(SED_{\rm A})$  of  $ED_{\rm A}$  were set at 140 (---), 80 (----) and 20 (----) mg/m²/s at an air temperature of 25 °C: Arrows in  $ED_{\rm A}$  and Imp indicate increments of  $ED_{\rm A}$  and Imp which triggered midday stomatal depression under the lowest  $SED_{\rm A}$  of 20 mg/m²/s.

excessive  $R_{\rm S}$ . Only under the lowest  $SED_{\rm A}$  of 20 mg/s/m², MSD (i.e. depression in  $G_{\rm S}$  around midday) occurred from about 11:00, although  $E_{\rm A}$  was kept remarkably lower as compared with those found in the higher  $SED_{\rm A}$  chambers. Under the lowest  $SED_{\rm A}$ , larger increments of Imp and  $ED_{\rm A}$  (i.e. positive  $\Delta Imp$  and  $\Delta ED_{\rm A}$ ) were found between 10:00 and 11:00 as arrowed in Fig. 5. As indicated by Eq. (8), these larger  $\Delta Imp$  and  $\Delta ED_{\rm A}$  can be estimated to impose larger impact (i.e. larger  $\Delta E_{\rm AT}$ ) on plant water balance and to trigger the transient water deficit and MSD. On the other hand, under the higher  $ED_{\rm A}$ ,  $\Delta Imp$  and  $\Delta ED_{\rm A}$  between 10:00 and 11:00 were remarkably smaller, and MSD was not induced, although the higher water loss  $(E_{\rm A})$  was caused. Thus, larger  $\Delta Imp$  and  $\Delta ED_{\rm A}$  can be estimated to induce transient water deficit and stomatal depression even under higher humidity conditions and lower transpiration rates.

#### CONCLUSION

ED<sub>A</sub> of Eq. (1) was used as a quantitative measure of evaporative demand, which can integrate respective influences of four environmental factors  $(R_S, T_A)$ SD and U) and leaf dimension (d) on evaporative demand. The impact of  $ED_A$ on plant water balance was newly quantified by introducing a coefficient, which was named as "impact coefficient (Imp)". Imp varied from 0 to 1 with increase in  $G_{\rm S}/G_{\rm AV}$ . That is, the degree of impact of evaporative demand became larger with increase in  $G_S$  and with decrease in  $G_{AV}$ . characteristic brought the lower Imp to desert plants such as samall leaves plants and CAM plants, and the adaptability of these plants to the desert condition was attributed to this lower Imp. Furthermore, dynamic responses of plant water relations to environmental factors were understood in terms of Imp as well as  $ED_A$ . In particular, the occurrence of midday stomatal depression on a fair day was attributed to the larger  $\Delta ED_A$  and  $\Delta Imp$  but not to the higher transpiration rate. Thus, newly introduced Imp of  $ED_A$ contributed to quantitative and comprehensive understand of environmental effects on plant water relations.

### APPENDIX I: List of symbols

- a short wave absorption coefficient of a leaf ( $a \approx 0.5$  for solar irradiance).
- b constant (b=0.50 on upper leaf surface and b=0.23 on lower leaf surface)
- $C_p$  specific heat of air at a constant pressure.
- d characteristic dimension of a leaf or an evaporating surface evaluated on the chord basis.
- $E_{\rm A}$  transpiration rate per unit leaf area.

 $E_{\rm AT}$  theoretical transpiration rate given by Eq. (4) on the basis of leaf heat balance, which can be a quantitative measure of impact of  $ED_{\rm A}$  on plant water balance.

 $\Delta E_{\mathrm{AT}}$  change in  $E_{\mathrm{AT}}$ 

 $ED_A$  evaporative demand per unit leaf area.

 $\Delta ED_A$  change in  $ED_A$ 

g acceleration of gravity.

 $G_{\mathrm{AH}}$  leaf boundary layer conductance for heat transfer.

 $G_{\rm AV}$  leaf boundary layer conductance for vapor transfer.

 $G_{\rm E}$  parallel conductance of  $G_{\rm AH}$  and  $G_{\rm R}$ 

 $G_{\rm FO}$  leaf boundary layer conductance for forced convection.

 $G_{\mathrm{FR}}$  leaf boundary layer conductance for free convection.

 $G_{\rm R}$  radiative transfer conductance  $(4\varepsilon_{\rm L}\sigma T_{\rm E}^{\ 3}/C_{\rm p}\rho)$ .

 $G_{\rm S}$  stomatal conductance.

Imp impact factor of evaporative demand on plant water balance defined

by Eq. (6).

 $\Delta Imp$  change in Imp.

Le Lewis number (~0.89 for water vapor).

MSD midday stomatal depression.

n constant (n=2) in an amphistomatous leaf and n=1 in a hyposto-

matous leaf).

RH relative humidity of ambient air.

 $R_{\rm S}$  short wave irradiance.

SD saturation deficit of ambient air.

 $SED_A$  desired value of evaporative demand.

 $T_{\rm A}$  temperature of ambient air.

 $T_{\rm L}$  temperature of a leaf or an evaporating surface.

 $T_{\rm E}$  equivalent temperature evaluated by  $(T_{\rm L} + T_{\rm A})/2$ .

U wind velocity of ambient air.

 $\beta$  coefficient of thermal expansion of air.

 $\gamma$  thermodynamic psychrometer constant  $(C_p \rho/\lambda)$ .

 $\Delta$  slope of the saturation vapor density curve at  $T_{\rm E}$ .

 $\varepsilon_A$  emissivity of environment.

 $\varepsilon_L$  emissivity of a leaf.

- $\kappa$  thermal diffusivity of air.
- λ latent heat for vaporization of water.
- ν coefficient of kinematic viscosity of air.
- $\rho$  density of air.
- σ Stefan–Boltzmann constant (5.67×10<sup>-8</sup> W/m<sup>2</sup>/K<sup>4</sup>).

# APPENDIX II

Leaf boundary conductances  $(G_{AH} \text{ and } G_{AV})$ 

 $G_{\rm AH}$  and  $G_{\rm AV}$  for respective transfers of heat and water vapor were expressed for forced convection (a), free convection (b) and mixed convection (c) as follows (11, 21)

(a) Forced convection

$$G_{\rm AH} = G_{\rm FO} = \frac{0.66\kappa^{0.67}}{d^{0.5}\nu^{0.17}}U^{0.5} \tag{A1}$$

$$G_{\rm AV} = G_{\rm FO}/\rm Le^{0.67} \tag{A2}$$

where Le is the Lewis number (≈0.89)

(b) Free convection

$$G_{\rm AH} = G_{\rm FR} = \frac{b\beta^{0.25}g^{0.25}\kappa}{d^{0.25}\nu^{0.5}} |T_{\rm L} - T_{\rm A}|^{0.25}$$
(A3)

$$G_{\rm AV} = G_{\rm FR}/{\rm Le}^{0.75} \tag{A4}$$

(c) Mixed convection

$$G_{\rm AH} = G_{\rm FO} + G_{\rm FR} \tag{A5}$$

$$G_{\rm AV} = G_{\rm FO}/{\rm Le}^{0.67} + G_{\rm FR}/{\rm Le}^{0.75}$$
 (A6)

Temperature  $(T_L)$  of an evaporating surface

For evaluating  $T_{\rm E}$ ,  $\Delta$ ,  $G_{\rm R}$ ,  $G_{\rm AH}$  and  $G_{\rm AV}$ , temperature  $(T_{\rm L})$  of an evaporating wetted surface is required to be determined.  $T_{\rm L}$  was estimated from environmental factors on the basis of heat balance as follows (10, 11)

$$T_{\rm L} = T_{\rm A} + \frac{(2/n)\gamma(G_{\rm E}/G_{\rm AV})}{(2/n)\gamma(G_{\rm E}/G_{\rm AV}) + \Delta} \times \{ \frac{aR_{\rm S} - 2\sigma\varepsilon_{\rm L}(1 - \varepsilon_{\rm A})T_{\rm A}^{-4}}{2C_p\rho G_{\rm E}} - \frac{SD}{(2/n)\gamma(G_{\rm E}/G_{\rm AV})} \}$$
(A7)

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