

CORRECTION TO "MARKOVIAN DECISION PROCESSES WITH RECURSIVE REWARD FUNCTIONS"

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By

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In the above article (Bull. Math. Statist. Vol. 15, No. 3-4, 79-91), in Theorem 5.1 and its Corollary we need to set Assumption (I) in addition to Assumption (II). The proof of Theorem 5.1 made in the article is incomplete. Line 3 from the bottom of page 85-line 7 from the top of page 86 should read:

For $\gamma = \varepsilon/N$ there exists a Borel measurable map f_N such that

$$\begin{aligned} E^{N-1\pi}g &= \pi_N qg(s_N, a_N, s_{N+1}, E^{N\pi}g) \\ &\leq f_N qg(s_N, a_N, s_{N+1}, E^{N\pi}g) + \gamma/K_1 K_2 \cdots K_{N-1} \\ &\quad \text{with } p\pi_1 q \cdots \pi_{N-1} q - \text{prob. } 1. \end{aligned}$$

That is,

$$\begin{aligned} E^{N-1\pi}g &\leq E^{(f_N, N\pi)}g + \gamma/K_1 K_2 \cdots K_{N-1} \\ &\quad \text{with } p\pi_1 q \cdots \pi_{N-1} q - \text{prob. } 1. \end{aligned}$$

By Assumptions (I) and (II) we have

$$\begin{aligned} \pi_{N-1} qg(s_{N-1}, a_{N-1}, s_N, E^{N-1\pi}g) \\ &\leq \pi_{N-1} qg(s_{N-1}, a_{N-1}, s_N, E^{(f_N, N\pi)}g + \gamma/K_1 K_2 \cdots K_{N-1}) \\ &\quad \text{with } p\pi_1 q \cdots \pi_{N-1} q - \text{prob. } 1 \\ &\leq \pi_{N-1} qg(s_{N-1}, a_{N-1}, s_N, E^{(f_N, N\pi)}g) + \gamma/K_1 K_2 \cdots K_{N-2} \\ &\quad \text{with } p\pi_1 q \cdots \pi_{N-2} q - \text{prob. } 1. \end{aligned}$$

Using this procedure N times will produce a Markov policy $\pi^* = \{f_1, f_2, \dots\}$ such that

$$\begin{aligned} E^\pi g &\leq E^{(f_1, f_2, \dots, f_N, N\pi)}g + N\gamma \\ &= E^{\pi^*}g + \varepsilon \quad \text{with } p - \text{prob. } 1, \end{aligned}$$

which completes the proof.

Replace $\|g\|$ in line 9 from the bottom of page 89 by L .