



L E T T E R XCVIII.

On Distinctness in the Expression: On the Space of Diffusion occasioned by the Aperture of Objective Lenses, and considered as the first Source of Want of Distinctness in the Representation.

DISTINCTNESS of expression is a quality of so much importance in the construction of telescopes, that it seems to take precedence of all the others which I have been endeavouring to explain; for it must be allowed, that a telescope which does not represent distinctly the images of objects must be very defective. I must, therefore, unfold the reasons of this want of distinctness, that we may apply more successfully to the means of remedying it.

They appear so much the more abstruse, that the principles hitherto laid down do not discover the source: in fact, this defect is thus to be accounted for, one of the principles on which I have hitherto proceeded is not strictly true, though not far from the truth.

You will recollect that it has been laid down as a principle, that a convex lens collects into one point of the image all the rays which come from one point of the object. Were this strictly true, images represented by lenses would be as distinctly expressed as the object itself, and we should be under no apprehension of defect in regard to this.

Here, then, lies the defectiveness of this principle;
lenses

lenses have the property now ascribed to them only around their centre; the rays which pass through the extremities of a lens collect in a different point from those which pass toward the centre, though all proceed from the same point of the object; hence are produced two different images, which occasion indistinctness.

In order to set this in the clearest light, let us consider the convex lens PP, (*plate IX. fig. 3.*) on the axis of which is placed the object Ee, of which the point E, situated upon the axis, emits the rays EN, EM, EA, EM, EN, to the surface of the lens. To the direction of these rays, as changed by refraction, we must now pay attention.

I. The ray EA, which passes through the centre A of the lens, undergoes no refraction, but proceeds forward in the same direction, on the straight line ABF.

II. The rays EM and EM, which are nearest to the first, undergo a small refraction, by which they will meet with the axis somewhere at F, which is the place of the image Ff, as has been explained in some of my preceding letters on this subject.

III. The rays EN and EN, which are more remote from the axis EA, and which pass toward the extremities NN of the lens, undergo a refraction somewhat different, which collects them, not at the point F, but at another point G nearer the lens, and these rays represent another image Gg, different from the first Ff.

IV. Let us now carefully attend to this particular circumstance,



circumstance, not hitherto remarked; it is this, that the rays passing through the lens, toward it's extremities, represent another image Gg , than what is represented by those passing near the centre MAM .

V. If the rays EN , EN , were to retire still farther from the centre A , and to pass through the points PP of the lens, their point of re-union would be still nearer to the lens, and would form a new image, nearer than even Gg .

VI. Hence you will easily perceive, that the first image Ff , which is named the principal image, is formed only by the rays which are almost infinitely near the centre; and that according as the rays retire from it, toward the extremities of the lens, a particular image is formed nearer the lens, till those passing close to the extremities form the last, Gg .

VII. All the rays, therefore, which pass through the lens PP represent an infinity of images disposed between Ff and Gg ; and at every distance from the axis the refraction of the lens produces a particular image, so that the whole space between F and G is filled with a series of images.

VIII. This series of images is accordingly denominated the diffusion of the image; and when all these rays afterwards enter into any eye, it is natural that the vision should be so much disturbed, as the space FG , through which the image is diffused, is more considerable. If this space FG could be reduced to nothing, no confusion or indistinctness need to be apprehended.

IX. The greater portions of their respective circles
that

that the arches PAP and PBP are, the greater likewise is FG the space of diffusion. You see a good reason, then, for rejecting all lenses of too great thickness, or in which the arches which form the surfaces of the lens are considerable segments of their circles; (as in *plate IX. fig. 4.*) of which the arches PAP and PBP are the fourth part of the whole circumference, so that each contains 90 degrees; this would, consequently, produce an insufferable confusion.

X. The arches, then, which form the surfaces of a lens, must contain much less than 90 degrees: if they contained so much as 60, the diffusion of the image would be even then insupportable. Authors who have treated the subject, admit of 30 degrees at most: and some fix the boundary at 20 degrees. A lens of this last description is represented by *fig. 5.* of *plate IX.* in which the arches PAP and PBP contain only 20 degrees, each being but the eighteenth part of the whole circumference of it's respective circle.

XI. But if this lens were to supply the place of the objective in a telescope, the arches PAP and PBP must contain still many degrees less. For, though the diffusion of the image be perceptible of itself, the magnifying power multiplies it as many times as the object is. Therefore, the greater the magnifying power proposed, the fewer must be the number of degrees, which the surfaces of the lens contain.

XII. When the telescope is intended to magnify 100 times, you will recollect, that the aperture of



the objective lens must be 3 inches, and its focal distance 360 inches, which is equal to the radii with which the two arches P₁P and P₂P are described; hence it follows that each of these two arches contains but half a degree; and it is distinctness of expression which requires an arch so small. If it were intended to magnify 200 times, half a degree would be still too much, and the measure of the arch, in that case, ought not to exceed the third part of a degree. This arch, however, must receive an extent of 6 inches; the radius of the circle must, therefore, be so much greater, and consequently, also the focal distance. This is the true reason why great magnifying powers require telescopes of such considerable length.

9th March, 1762.

LETTER XCIX.

Diminution of the Aperture of Lenses, and other Means of lessening the Space of Diffusion, till it is reduced to nothing.

WHEN the space of an objective lens is too great to admit of distinctness of expression, it may be very easily remedied: you have only to cover the lens with a circle of pasteboard, leaving an opening in the centre, so that the lens may transmit no other rays, but those which fall upon it through the opening, and that those which before passed through the extremities of the lens may be excluded;

cluded; for as no rays are transmitted but through the middle of the lens, the smaller the opening is, the smaller likewise will be the space of diffusion. Accordingly, by a gradual diminution of the opening, the space of diffusion may be reduced at pleasure.

Here the case is the same as if the lens were no larger than the opening in the pasteboard, thus the covered part becomes useless, and the opening determines the size of the lens; this then is the remedy employed, to give objective lenses any given extent.

PP is the objective lens (*plate IX. fig. 6.*) before which is placed the pasteboard NN, having the opening MM, which is now the extent of the lens. This opening MM is here nearly the half of what it would be, were the pasteboard removed; the space of diffusion is, therefore, much smaller. It is remarked, that the space of diffusion, in this case, is only the fourth part of what it was before. An opening MM, reduced to a third of PP, would render the space of diffusion nine times less. Thus the effect of this remedy is very considerable; and on covering the extremities of the lens ever so little, the effect of it becomes perceptible.

If, therefore, a telescope labours under this defect, that it does not represent objects sufficiently distinct, as a series of images blended together must of necessity produce confusion, you have only to contract the aperture of the objective lens by a covering of pasteboard such as I have described, and this confusion will infallibly disappear. But a defect equally embarrassing



embarrassing is the consequence, the degree of brightness is diminished. You will recollect that every degree of the magnifying power requires a certain aperture of the objective lens, that as many rays may be transmitted as are necessary to procure a sufficient illumination. It is vexatious, therefore, in curing one defect, to fall into another; and in order to the construction of a very good telescope, it is absolutely necessary that there should be sufficient brightness of illumination, without injuring distinctness in the representation.

But can there be no method of diminishing, nay of totally reducing, the space of diffusion of objective lenses, without diminishing the aperture? This is the great enquiry which has for some time past engaged the attention of the ingenious, and the solution of which promises such a field of discovery in the science of dioptricks. I shall have the honour, at least, of laying before you, the means which scientific men have suggested for this purpose.

As the focus of the rays which pass through the middle of a convex lens is more distant from the lens, than the focus of the rays which pass through the extremities, it has been remarked that concave lenses produce a contrary effect. This has suggested the enquiry, whether it might not be possible to combine a convex with a concave lens in such a manner, that the space of diffusion should be entirely annihilated; while, in other respects, this compound lens should produce the same effect as an ordinary simple objective?

objective? You know that concave lenses are measured by their focal distance as well as those which are convex; with this difference, that the focus of the concave is only imaginary, and falls before the lens, whereas the focus of convex lenses is real, and falls behind them. Having made this remark, we reason as follows:

I. If we place (*plate IX. fig. 7.*) behind a convex lens P A P, a concave one Q B Q of the same focal distance, the rays which the convex lens would collect in its focus will be refracted by the concave, so that they will again become parallel to each other, as they were before passing through the convex lens.

II. In this case, therefore, the concave lens destroys the effect of the convex, and it is the same thing as if the rays had proceeded in their natural direction, without undergoing any refraction. For the concave lens having its focus at the same point F, restores the parallelism of the rays, which would otherwise have met at the point F.

III. If the focal distance of the concave lens were smaller than that of the convex, it would produce a greater effect, and would render the rays divergent, as in *fig. 8. of plate IX*: the incident parallel rays L M, E A, L M, passing through the two lenses, would assume the directions N O, B F, N O, which are divergent from each other. These two lenses together produce, therefore, the same effect as a simple concave lens, which would impress on the incident parallel rays the same divergence. Two such lenses joined together, of which the concave has a smaller



a smaller focal distance than the convex, are therefore equivalent to a simple concave lens.

IV. But if the concave lens $Q Q$ (*plate IX. fig. 9.*) has a greater focal distance than the convex lens $P P$, it is not even sufficient to render parallel to each other the rays which the convex lens by itself would collect in its focus F : these rays, therefore, continue convergent, but their convergence will be diminished by the concave lens, so that the rays, instead of meeting in the point F , will meet in the more distant point O .

V. These two lenses joined together will produce, then, the same effect, as a simple convex lens which should have its focus at O , as it would collect the parallel rays $L M, E A, L M$, equally in the same point. It is therefore evident that two lenses may be combined an infinite variety of ways, the one being convex and the other concave, so that their combination shall be equivalent to a given convex lens.

VI. Such a double objective lens may, therefore, be employed in the construction of telescopes, instead of the simple to which it is equivalent; and the effect, as to the magnifying power, will be just the same. But the space of diffusion will be quite different, and it may happen to be greater or less than that of a simple objective, and in this last case, the double objective will be greatly preferable to the simple.

VII. But farther, it has been found possible to arrange two such lenses so that the space of diffusion is reduced absolutely to nothing, which is, undoubtedly,

edly, the greatest advantage possible in the construction of telescopes. Calculation enables us to determine this arrangement, but no artist has hitherto been found capable of reducing it to practice.

13th March, 1762.

L E T T E R C.

Of Compound Objective Lenses.

THE combination of two lenses, of which I have now given the idea, is denominated a compound objective: the end proposed from them is, that all the rays, as well as those which pass through the extremities of a lens, as those which pass through the middle, should be collected in a single point, so that only one image may be formed, without diffusion, as in simple objectives. Could artists succeed in effecting such a construction, very great advantages would result from it, as you shall see.

It is evident, first, that the representation of objects must be much more distinct, and more exactly expressed, as vision is not disturbed by the apparition of that series of images which occupy the space of diffusion, when the objective is simple.

Again, as this space of diffusion is the only reason which obliges us to give to simple objectives such an excessive focal distance, in order to render the inconvenience resulting from it imperceptible; by employing compound objectives we are relieved from that cumbersome expedient, and are enabled to construct



struct telescopes incomparably shorter, yet possessing the same magnifying power.

When, employing a single objective, you want to magnify a hundred times, the focal distance cannot be less than thirty feet, and the length of the telescope becomes still greater on account of the ocular lens, whose focal distance must be added; a small objective would produce, from its greater space of diffusion, an intolerable confusion. But, a length of thirty feet is not only very inconvenient, but artists seldom succeed in forming lenses of so great a focal distance. You will readily perceive the reason of this: for the radius of the surfaces of such a lens must likewise be thirty feet, and it is very difficult to describe exactly so great a circle, and the slightest aberration renders all the labour useless.

Accidents of this sort are not to be apprehended in the construction of compound objective lenses, which may be formed of smaller circles, provided they are susceptible of the aperture which the magnifying power requires. Thus, in order to magnify one hundred times, we have seen that the aperture of the objective lens must be three inches; but it would be easy to construct a compound objective whose focal distance should be only one hundred inches, and which could admit an aperture of more than three inches: therefore, as the focal distance of the ocular must be one hundred times smaller, it would be one inch; and the interval between the lenses being the sum of their focal distances, the length of the telescope would be only one hundred
and

and one inches, or eight feet five inches, which is far short of thirty feet.

But it appears to me, that a compound objective, whose focal distance should be fifty inches, might easily admit an aperture of three inches, and even more: taking then an ocular of half an inch focus, you will obtain the same magnifying power of one hundred times, and the length of the telescope will be reduced one half, that is to four feet and less than three inches. Such a telescope, then, would produce the same effect as a common one of thirty feet, which is assuredly carrying it as far as need to be wished.

If such a compound objective could be made to answer, you would only have to double all these measurements in order to have one which should admit an aperture of six inches, and this might be employed to magnify two hundred times, making use of an ocular of half an inch focus, as the two hundredth part of the focal distance of the objective, which would, in this case, be one hundred inches. Now, a common telescope which should magnify two hundred times, must exceed one hundred feet in length; whereas this one, which is constructed with a compound objective, is reduced to about eight feet, and is perfectly accommodated to use, whereas a telescope of one hundred feet long would be an unwieldy and almost useless load.

The subject might be carried still much farther, and by again doubling the measurements, we might have a compound objective whose focal distance should be two hundred inches, or sixteen feet eight
D d 2 inches,



inches, which should admit of an aperture of twelve inches or one foot: taking, then, an ocular of half an inch focus, as two hundred inches contain four hundred half inches, we should have a telescope capable of magnifying four hundred times, and still abundantly manageable, being under seventeen feet; whereas were we to attempt to produce the same magnifying power with a simple objective lens, the length of the telescope must exceed three hundred feet, and consequently could be of no manner of use, on account of that enormous size.

They have at Paris a telescope one hundred and twenty feet long, and one at London of one hundred and thirty feet; but the dreadful trouble of mounting, and pointing them to the object, almost annihilates the advantages expected from them. From this you will conclude of what importance it would be to succeed in the construction of the compound lenses which I have been describing. I suggested the first idea of them several years ago, and since then, artists of the greatest ability in England and France have been attempting to execute them. Repeated efforts, and singular skill, in the artist, are undoubtedly requisite. Indeed, I have made, with the assistance of an able mechanician of our Academy, some not unsuccessful attempts, but the expence attending such an enterprize has obliged me to give it up.

But the Royal Society of London last year announced, that an eminent artist, of the name of Dollond, had fortunately succeeded; and his telescopes are now universally admired. An able artist of Paris, named

named Passament, boasts of a similar success. Both these gentlemen did me the honour, some time ago, to correspond with me on the subject; but as the point in question was chiefly, how to surmount certain great difficulties in the practical part, which I never attempted, it is but fair that I should relinquish to them the honour of the discovery. The theory alone is my province, and it has cost me much profound research, and many painful calculations, the very sight of which would terrify you. I shall therefore take care not to perplex you farther with this abstruse enquiry.

16th March, 1762.

L E T T E R C I.

Formation of Simple Objective Lenses.

IN order to give you some idea of the researches which led me to the construction of compound objective lenses, I must begin with the formation of the simple lens.

Observe, first, that the two surfaces of a lens may be formed in an infinity of different ways, by taking circles of which the surfaces are segments, either equal, or unequal to each other, the focal distance, however, remaining always the same.

The same figure is usually given to both surfaces of a lens, or, as the surfaces of a lens are represented by arches of a circle, both surfaces are formed with radii equal to each other. Facility of execution has,

D d 3 undoubtedly,



undoubtedly, recommended this figure, as the same basin serves to form both surfaces, and most artists are provided with but few basins.

Suppose, then, a convex lens, both whose surfaces are polished on the same basin, one of twenty-four inches radius, so that each surface shall be an arch of the circle whose radius is twenty-four inches: this lens will be convex on both sides, and will have its focal distance at twenty-four inches, according to the common calculation; but as the focus depends on the refraction, and as the refraction is not absolutely the same in every species of glass, in which we find a very considerable diversity, according as the glass is more or less white and hard, this calculation of the focus is not strictly accurate; and usually the focal distance of the lens is somewhat less than the radius of its two surfaces, sometimes the tenth part, sometimes the twelfth; accordingly, the lens supposed, the radius of whose surfaces is twenty-four inches, will have its focus at the distance of about twenty-two inches, if it is formed of the same species of glass of which mirrors are commonly manufactured: though even in glass of this sort we meet with a small diversity in respect of refraction.

We see afterwards that on making the two surfaces of the lens unequal, an infinity of other lenses may be formed, which shall all have the same focal distance; for on taking the radius of one of the surfaces less than twenty-four inches, that of the other surface must be taken greater in proportion, according to a certain rule. The radius of one of the surfaces

faces may always be taken at pleasure; and by means of a certain rule, the radius of the other may be found, in order that the focal distance may become the same as if each surface had been formed on a radius of twenty-four inches. The following table exhibits several such lenses, which have all the same focal distance.

Lenfes.	Radii of the first Surface.	Radii of the second Surface.
I.	24	24
II.	21	28
III.	20	30
IV.	18	36
V.	16	48
VI.	15	60
VII.	14	84
VIII.	13	156
IX.	12	infinity.

In the last form, the radius of one surface is only 12 inches, or the half of 24 inches, but that of the other becomes infinite; or rather, this surface is an arch of a circle infinitely great; and as such an arch differs nothing from a straight line, this may be considered as a plane surface, and such a lens is plano-convex.

Were we to assume the radius of a surface still smaller than 12 inches, the other surface must be made concave, and the lens will become convexo-

D d 4 concave;



concave; it will, in that case, bear the name of *meniscus*, several figures of which are presented in the following table.

Meniscus.	Radius of the Convex Surface.	Radius of the Concave Surface.
X.	11	132
XI.	10	60
XII.	9	36
XIII.	8	24
XIV.	6	12
XV.	4	6
XVI.	3	4

Here, then, is a new species of lenses, the last of which is represented in *fig. 11 of plate IX.* so that we have now 16 different species, which have all the same focal distance; and this is about 22 inches, a little more or less, according to the nature of the glass.

When, therefore, the only question is, What focal distance the lens ought to have? it is a matter of indifference according to which of these forms you go to work: but there may be a very great difference in the space of diffusion, to which each species is subjected, this space becoming smaller in some than in others. When a simple objective lens is to be employed, as is usually done, it is by no means indifferent of what figure you assume it, for that which produces the smallest space of diffusion is to be preferred. Now, this

this excellent property does not belong to the first species, where the two surfaces are equal; but nearly to species VII. which possesses the quality, that when you turn toward the object it's more convex surface, or that whose radius is smallest, the space of diffusion is found to be about one half less, than when the lens is equally convex on both sides: this, therefore, is the most advantageous figure for simple objective lenses, and practitioners are accordingly agreed in the use of it.

It is evident, then, that in order to ascertain the space of diffusion of a lens, it is not sufficient to know it's focal distance, it's species likewise must be determined, that is, the radii of each surface, and you must carefully distinguish which side is turned to the object.

After this explanation, please to remark, that in order to discover the combination of two lenses which shall produce no diffusion of image, it is absolutely necessary to take into the account the figure of both surfaces of each glass, and to resolve the following problem, *What must be the radii of the surfaces of two lenses, in order to reduce to nothing the space of diffusion?* The solution requires the most profound researches of the most sublime geometry; and supposing these to have been successful, the artist has, after all, many difficulties to surmount. The baston must have precisely that curve which the calculation indicates; nor is that sufficient, for in the operation of forming the lens on the baston, the baston suffers from the friction in it's turn; hence it becomes necessary to rectify it's figure



figure from time to time, with all possible accuracy, for if all these precautions are not strictly observed, it is impossible to ensure success; and it is no easy matter to prevent the lens from assuming a figure somewhat different from that of the basin in which it is moulded. You must be sensible, from all this, how difficult it must be to carry to perfection this important article in dioptricks.

20th March, 1762.

LETTER CII.

Second Source of Defect, as to Distinctness of Representation by the Telescope. Different Refrangibility of Rays.

YOU have now seen in what manner it may be possible to remedy that defect in lenses which arises from the different refraction of rays, as those which pass through the extremities of a lens do not meet in the same point with those which pass through its middle, the effect of which is an infinity of images dispersed through the space of diffusion. But this is not the only defect; there is another, of so much more importance that it seems impossible to apply a remedy, the cause existing not in the glass, but in the nature of the rays themselves.

You will recollect that there is great variety in rays, with respect to the different colours of which they convey the impression. I have compared this diversity to that which we meet with in musical notes, having laid it down as a principle, that each

colour is attached to a certain number of vibrations. But supposing that this explanation should still appear doubtful, it is beyond all doubt, that rays of different colours likewise undergo different refractions in their passage from one transparent medium to another; thus red rays undergo the least refraction, and violet the greatest, though the difference is almost imperceptible. Now, all the other colours, as orange, yellow, green, and blue, are contained, with respect to refraction, within these two limits. It must likewise be remarked that white is a mixture of all the colours, which, by refraction, are separated from each other.

In fact, when (*plate IX. fig. 12.*) a white ray OP, or a ray of the sun, falls obliquely on a piece of glass ABCD, instead of pursuing its course in the direction PQ, it not only deviates from this, but divides into a variety of rays Pr, Ps, Pt, Pv: the first of which Pr, the one that deviates least, represents the red colour, and the last Pv, which deviates most, the violet colour. The dispersion rv is indeed much smaller than it appears in the figure; the divergence, however, always becomes more perceptible.

From this different refrangibility of rays, according to their different colours, are produced the following phenomena, with respect to dioptrick glasses.

I. Let PP (*plate IX. fig. 13.*) be a convex lens, on the axis of which OR, at a very great distance AO, is the object Oo, the image of which, as represented by the lens, we are to determine, putting aside, here, the first irregularity, that which respects diffusion, or, which



which amounts to the same thing, attending to those rays only which pass through the centre of the lens $A B$, as if its extremities were covered with a circle of pasteboard.

II. Let us now suppose the object $O o$ to be red, so that all its rays shall be of the same nature; the lens will somewhere represent the image of it $R r$ equally red; the point R is, in this case, denominated the focus of the red rays, or of those which undergo the least refraction.

III. But if the object $O o$ is violet, as rays of this colour undergo the greatest refraction, the image $V v$ will be nearer the lens than $R r$; this point V is called the focus of violet rays.

IV. If the object were painted some other intermediate colour between red and violet, the image would fall between the points R and V , would be always very distinct, and terminated by the straight line $o B$, drawn from the extremity o of the object, through the centre of the lens, this being a general rule for all colours.

V. But if the colour of the object is not pure, as is the case in almost all bodies; or if the object is white, which is a mixture of all colours, the different species of rays will then be separated by refraction, and each will represent an image apart. That which is formed of red rays will be at $R r$; and that which is produced by the violet, at $V v$; and the whole space $R V$ will be filled with images of the intermediate colours.

VI. The lens PP , then, will represent a succession of images of the object $O o$ disposed through the
small

small space $R V$, of which, the most remote from the lens, is red, and the nearest $V v$ violet, and the intermediate images of the intermediate colours; according to the order of the colours as they appear in the rainbow.

VII. Each of these images will be abundantly distinct in itself, and all terminated by the straight line $o B v r$, drawn from the extremity o of the object through the centre of the lens B : but they could not be viewed together, without a very perceptible confusion.

VIII. Hence, then, is produced a new space of diffusion, as in the first irregularity, but differing from it in this, that the latter is independent on the aperture of the lens, and that each image is painted of a particular colour.

IX. This space of diffusion $R V$ depends on the focal distance of the lens, so as to be always about the twenty-eighth part; when, therefore, the focal distance of the lens PP is 28 feet, the space $R V$ becomes equal to an entire foot, that is, the distance between the red image $R r$ and the violet $V v$ is one foot. If the focal distance were twice as great, or 56 feet, the space $R V$ would be two feet, and so of other distances.

X. Hence, the calculation of the focal distance of a lens becomes uncertain, as the rays of each colour have their separate focus: when, therefore, the focus of a lens is mentioned, it is always necessary to announce the colour that we mean. But rays of an
intermediate



intermediate nature are commonly understood, those between red and violet, namely the green.

XI. Thus, when it is said, without farther explanation, that the focal distance of such a lens is 56 feet, we are to understand that it is the green image which falls at that distance; the red image will fall about a foot farther off, and the violet a foot nearer.

Here, then, is a new circumstance of essential importance, to which attention must be paid in the construction of dioptrical instruments.

23d March, 1762.

LETTER CIII.

Means of remedying this Defect by compound Objectives.

IT is necessary carefully to distinguish this new diffusion, or multiplication of the image, arising from the different refrangibility of rays, as being of different colours from the first diffusion, occasioned by the aperture of the lens, in as much as the rays which pass through the extremities form another image than those which pass through its middle. This new defect must, accordingly, be remedied differently from the first.

You will please to recollect, that I have proposed two methods for remedying the preceding defect; the one consisted in an increase of the focal distance, in order to diminish the curve of the surfaces of the lens. This remedy introduces instruments extremely long,

long, whenever a great magnifying power is required. The other consists in a combination of two lenses, the one convex, and the other concave, to modify the refraction, so that all the rays, transmitted through these lenses, may meet in the same point, and the space of diffusion be totally reduced.

But neither of these remedies affords the least assistance toward removing the inconvenience arising from the different refrangibility of rays. The first even increases the evil, for the more that the focal distance is increased, the more considerable becomes the space through which the coloured images are dispersed. Neither does the combination of two or more lenses furnish any assistance; for we are assured from both theory and experience, that the images of different colours remain always separated, however great the number of lenses through which the rays are transmitted, and, that the more the lens magnifies, the more the difference increases.

This difficulty appeared so formidable to the great *Newton*, that he despaired of finding a remedy for a defect which he believed absolutely inseparable from dioptrical instruments, when the vision is produced by refracted rays. For this reason he resolved to give up refraction altogether, and to employ mirrors instead of objective lenses, as reflection is always the same for rays of every nature. This idea has procured for us those excellent reflecting telescopes, whose surprising effects are so justly admired, and which I shall describe after I have explained every thing relating to refracting instruments.

On



On being convinced that it was impossible to remedy the different refrangibility of rays, by a combination of several lenses, I remarked that the reason of it was founded on the law of refraction, which is the same in every species of glasses; and I perceived, that if it were possible to employ other transparent substances, whose refraction should be considerably different from that of glass, it might be very possible to combine such substance with glass, in such a manner that all the rays should unite in the formation of a single image, without any space of diffusion. In pursuance of this idea, I found means to compose objective lenses, of glass and water, wholly exempt from the effect of the different refrangibility of rays, which, consequently, would produce as good an effect as mirrors.

I executed my idea with two menisque, or concavo-convex lenses, (*plate IX. fig. 14.*) the one of which is A A C C, and the other B B C C, which I joined together with the concave surfaces toward each other, filling the void between them with water, so that the rays which entered by the lens A A C C must pass through the water inclosed between the two lenses, before they went off through C C B B. Each ray undergoes, then, four refractions: the first on passing from the air into the lens A A C C; the second, on passing from this lens into the water; the third on passing thence into the other lens C C B B; the fourth, on passing from this lens into the air.

As the four surfaces of these two lenses here enter
into

into consideration, I found means to determine their semidiameters, so that, of whatever colour a ray of light might be, after having undergone these four refractions, it should re-unite in the same point, and the different refrangibility no longer produce different images.

These objectives, compounded of two lenses and water, were found subject, at first, to the former defect, namely, that of the rays, which pass through the extremities, forming a different focus from what is formed by those which pass through the middle; but, after much painful research, I found means to proportion the radii of the four surfaces in such a manner, that these compound objectives became wholly exempted from the defects of both the classes specified. But it was necessary, to this effect, to execute so exactly all the measurements prescribed by the calculation, that the slightest aberration must become fatal to the whole process; I was, therefore, obliged to abandon the construction of these objectives.

Besides, this project could remedy only the inconveniences which affect the objective lens, and the ocular lens might still labour under some defect as great, which it would be impossible to remedy in the same manner. Several ocular lenses are frequently employed in the construction of telescopes, which I shall describe afterwards; we should not, therefore, gain much by a too scrupulous adherence to the objective only, while we overlook the other lenses,
VOL. II. E e though



though their effect may not be greatly perceptible relatively to that of the objective.

But, whatever pains these researches may have cost me, I frankly declare, that I entirely give up, at present, the construction of objectives compounded of glasses and water; as well on account of the difficulty of execution, as that I have since discovered other means, not of destroying the effect of the different refrangibility of rays, but of rendering it imperceptible. This shall be the subject of my next letter.

27th March, 1762.

LETTER CIV.

Other Means more practicable.

SINCE the reflecting telescope came into general use, refracting instruments have been so run down, that they are on the point of being wholly laid aside. The construction of them has, accordingly, for some time past, been wholly suspended, under a firm persuasion that every effort to raise them to a state of perfection would be useless, as the great *Newton* had demonstrated that the insurmountable difficulties arising from the different refrangibility of rays, was absolutely inseparable from the construction of telescopes.

If this sentiment be well founded, there is no telescope capable of representing objects, but with a
confusion

confusion insupportable in proportion to the greatness of the magnifying power. However, though there are telescopes extremely defective in this respect, we likewise meet with some that are excellent, and nowise inferior to the so much boasted reflecting telescopes. This is, undoubtedly, a very great paradox; for if this defect really attached to the subject, we should not find a single exception. Such an exception, therefore, and we have the testimony of experience that it exists, well merits every degree of attention.

We are to enquire, then, how it comes that certain telescopes represent the object abundantly distinct; while others are but too much subject to the defect occasioned by the different refrangibility of rays. I think I have discovered the reason, which I submit in the following reflections.

I. It is indubitably certain that the objective lens represents an infinity of images of each object, which are all arranged over the same space of diffusion, and each of which is painted it's own proper colour, as I have demonstrated in the preceding Letter.

II. Each of these images becomes an object, with respect to the ocular lens, which represents each separately, in the colour proper to it; so that the eye discovers, through the telescope, an infinity of images, disposed in a certain order, according to the refraction of the lens.

III. And if, instead of one ocular glass, we were to employ several, the same thing will always take place, and instead of one image, the telescope will



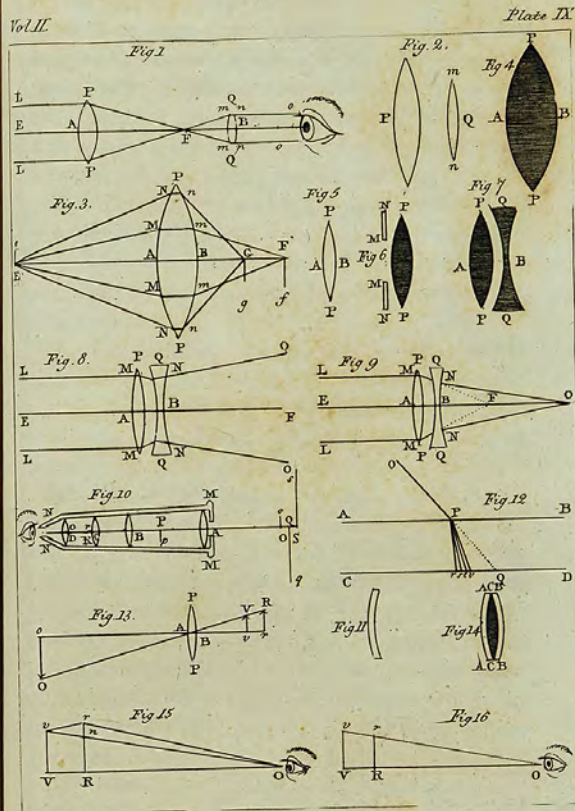
represent an infinity to the eye, or a series of images, each of which expresses a separate object, but of a particular colour.

IV. Let us now consider (*plate IX. fig. 15.*) the last images presented, by the telescope, to an eye placed at *O*; and let *R r* be the red image, and *V v* the violet, those of the other colours being between these two, according to the order of their different refrangibility. I have not, in this figure, introduced the lenses of the telescope; the only point, at present, being to shew in what manner the eye sees the images. Only we must conceive the distance of the eye *O* from these images to be very great.

V. All these images *R r* and *V v*, with the intermediate, are situated, then, on the axis of the telescope *ORV*, and terminated by a certain straight line, *r v*, denominated the terminatrix of all the images.

VI. As I have represented these images in the figure, the red image *R r* is seen by the eye at *O*, under the angle $\angle RO r$, which is greater than the angle $\angle VO v$, under which the violet image *V v* is seen. The violet rays which, from the image *V v*, enter into the eye, are, therefore, blended with the red which come from the part *R r* of the red image *R r*.

VII. Consequently, the eye cannot see the violet image without a mixture of rays of other colours, but which correspond to different points of the object itself; thus the point *n* of the red image is confounded in the eye with the extremity *v* of the violet





let image, from which a very great confusion must arise.

VIII. But the ray rO not being mixed with the others, the extremity seen will appear red, or the image will seem bordered with red, which afterward successively blends with these other colours, so that the object will appear with a party-coloured border, a fault very common in telescopes, to which some, however, are less subject than others.

IX. If the greater image Rr were the violet and Vv the red, the confusion would be equally offensive, with this difference only, that the extremities of the object would then appear bordered with violet, instead of red.

X. The confusion depends, then, on the position of the terminating straight line rv , with relation to the line VO , and the diversity which may take place in it; the result must be, that the confusion will be sometimes greater and sometimes less.

XI. Let us now consider the case, in which the last images, represented by the telescope, are so arranged, that the straight terminating line vr being produced, would pass precisely into the eye. The eye will then see (*plate IX. fig. 16.*) along a single ray vrO , all the extremities; and, in general, all the points which correspond to one and the same point of the object, will be conveyed to the eye by a single ray; and will there, consequently, be distinctly represented.

XII. Here, then, is a case, in which, notwithstanding the diversity of images, the eye may see the ob-



ject distinctly, without any confusion of the different parts, as happened in the preceding case. This advantage, then, will be obtained, when the terminating line vr , being produced, passes through the place of the eye O .

XIII. As the arrangement of the last images Rr and Vv depends on the disposition of the ocular lenses, in order to rescue telescopes from the defect imputed to them, nothing more is requisite but to arrange these lenses in such a manner, that the terminating line of the last images vr shall pass through the eye; and telescopes, thus constructed, will always be excellent.

30th March, 1762.

LETTER CV.

Recapitulation of the Qualities of a good Telescope.

ON taking a general review of the subject, you will readily admit that an excellent telescope is a most valuable commodity, but rarely to be met with, being subject to so many defects, and so many qualities being requisite, each of which has an essential influence on the construction of the instrument. As the number of the good qualities is considerable, that no one of them may escape your observation, I shall again go over the ground, and make a distinct enumeration of them.

I. The first respects the magnifying power; and the more that a telescope magnifies objects, the more perfect

perfect undoubtedly it is; provided that no other good quality is wanting. Now, the magnifying power is to be estimated from the number of times that the diameter of the object appears greater than to the naked eye. You will recollect that, in telescopes of two lenses, the magnifying power is so many times greater, as the focal distance of the objective lens exceeds that of the ocular. In telescopes consisting of more lenses than two, the determination of the magnifying power is more intricate.

II. The second property of a good telescope is brightness. It is always very defective when it represents the object obscurely, and as through a mist. In order to avoid this defect, the objective lens must be of such a size as is regulated by the magnifying power. Artists have determined that, in order to magnify 300 times, the aperture of the objective ought to be three inches diameter, and for every other magnifying power in proportion. And, when objects are not very luminous of themselves, it would be proper to employ objectives of a still greater diameter.

III. The third quality is distinctness or accuracy of representation. In order to this, the rays which pass through the extremities of the objective lens, ought to meet in the same point with those which pass through the middle, or that, at least, the aberration should not be perceptible. When a simple objective is employed, its focal distance must exceed a certain limit proportional to the magnifying power. Thus, if you wish to magnify 100 times, the focal

E c 4

distance



distance of the objective must be at least 30 feet. It is the destination, therefore, which imposes the necessity of making telescopes so excessively long, if we want to obtain a very great magnifying power. Now, in order to remedy this defect, an objective composed of two lenses may be employed; and, could artists succeed in the construction of them, we should be enabled, very considerably, to shorten telescopes, while the same magnifying power remained. You will have the goodness to recollect what I have already suggested, at some length, on this subject.

IV. The fourth quality regards likewise the distinctness, or purity, of representation, as far as it is affected by the different refrangibility of rays of different colours. I have shewn how that defect may be remedied: and as it is impossible that the images formed by different rays should be collected in a single one, the point in question is to arrange the lenses in the manner I have described in the preceding Letter; that is, the terminating line of the last images must pass through the eye. Without this, the telescope will have the defect of representing objects surrounded with the colours of the rainbow; but the defect will disappear on arranging the lenses in the method I have pointed out. But, to this effect, more than two lenses must be employed, in order to a proper arrangement. I have hitherto spoken only of telescopes with two lenses, one of which is the objective, and the other the ocular; and you know that their distance from each other is already determined by their focal distances, so that
here

here we are not at liberty to make any alteration. It happens, fortunately, however, that the terminating line, which I have mentioned, passes nearly through the place of the eye; so that the defect, arising from the colours of the rainbow, is almost imperceptible, provided the preceding defect is remedied, especially when the magnifying power is not very great. But when the power is considerable it would be proper to employ two ocular lenses, in order entirely to annihilate the colours of the rainbow: as in this case, the slightest defects, being equally magnified, become insupportable.

V. The fifth and last good quality of a telescope, is a large apparent field, or the space which the instrument discovers at once. You recollect that small pocket glasses, with a concave ocular lens, are subject to the defect of presenting a very small field, which renders them incapable of magnifying greatly. The other species, that with a convex ocular, is less subject to this defect, but as it represents the object inverted, telescopes of the first species would be preferable, did they discover a larger field, which depends on the diameter of the aperture of the ocular lens; and you know we cannot increase this aperture at pleasure, because it is determined by focal distance. But, by employing two or three, or even more ocular lenses, we have found means to render the apparent field greater; and this is an additional reason for employing several lenses, in order to procure a telescope in all respects excellent.

To these good qualities, another may be still added,
that



that the representation shall not be inverted by the instrument, as by astronomical telescopes. But this defect may be easily remedied, if it be one, by the addition of two more ocular lenses, as I shall shew in my next letter.

3d April, 1762.

LETTER CVI.

Terrestrial Telescopes with Four Lenses.

I HAVE treated at considerable length of telescopes composed of two convex lenses, known by the name of astronomical tubes, because they are commonly used for observing the heavenly bodies.

You will readily comprehend that the use of such instruments, however excellent they may be, is limited to the heavens, because they represent objects in an inverted position, which is very awkward in contemplating terrestrial bodies, as we would rather wish to view them in their natural situation; but on the discovery of this species of telescope, means were quickly found of remedying that defect, by doubling; if I may say so, the same telescope. For as two lenses invert the object, or represent the image inverted, by joining a similar telescope to the former, for viewing the same image, it is again inverted, and this second representation will exhibit the object upright. Hence a new species of telescopes, composed of four lenses, called terrestrial telescopes, from their being designed

signed to contemplate terrestrial objects: and the method of constructing them follows.

I. The four lenses A, B, C, D, (*plate IX. fig. 10.*) inclosed in the tube M M N N, represent the telescope in question; the first of which, A, directed toward the object, is denominated the objective lens, and the other three, B C D, the ocular. These four lenses are all convex, and the eye must be placed at the extremity of the tube, at a certain distance from the last ocular lens D, the determination of which shall be afterwards explained.

II. Let us consider the effect which each lens must produce, when the object O o, which is viewed through the telescope, is at a very great distance. The objective lens will first represent the image of this object at P p, it's focal distance, the magnitude of the image being determined by the straight line drawn from the extremity o, through the centre of the lens A. This line is not represented in the figure, that it may not be embarrassed with too many lines.

III. This image P p occupies the place of the object with respect to the second lens B, which is placed in such a manner, that the interval B P shall be equal to it's focal distance, in order that the second image may be thence transported to an infinite distance, as Q q, which will be inverted as the first P p, and terminated by the straight line, drawn from the centre of the lens B, through the extremity p.

IV. The interval between these two first lenses A B, is equal, therefore, to the sum of their focal distances; and were the eye placed behind the lens B,

we



we should have an astronomical telescope, through which the object $O o$ would be seen at $Q q$, and, consequently, inverted, and magnified as many times as the distance $A P$ exceeds the distance $B P$. But instead of the eye, we place behind the lens B , at some distance, the third lens C , with respect to which the image $Q q$ occupies the place of the object, as, in fact, it receives the rays from this image $Q q$, which, being at a very great distance, the lens C will represent the image of it, at it's focal distance in $R r$.

V. The image $Q q$ being inverted, the image $R r$ will be upright, and terminated by the straight line drawn from the extremity q through the centre of the lens C , which will pass through the point r . Consequently the three lenses A, B, C together, represent the object $O o$ at $R r$, and this image $R r$ is upright.

VI. Finally, we have only to place the last lens in such a manner that the interval $D R$ shall be equal to it's focal distance; this lens D will again transport the image $R r$ to an infinite distance, as $S s$, the extremity of which s will be determined by the straight line drawn from the centre of the lens D , through the extremity r ; and the eye placed behind this lens will, in fact, see this image $S s$, instead of the real object $O o$.

VII. Hence it is easy to ascertain how many times this telescope, composed of four lenses, must magnify the object; you have only to attend to the two couple of lenses, $A B$ and $C D$, each of which, separately, would be an astronomical telescope. The first

first pair of lenses A and B magnifies as many times, as the focal distance of the first lens A exceeds that of the seconds lens B ; and so many times will the image formed by it, $Q q$, exceed the real object $O o$.

VIII. Farther, this image $Q q$ occupying the place of the object, with respect to the other pair of lenses C and D , it will be again multiplied as many times as the focal distance of the lens C exceeds that of the lens D . These two magnifying powers added, give the whole magnifying produced by the four lenses.

IX. If, then, the first pair of lenses A and B magnify ten times, and the other part C and D three times, the telescope will magnify the object thrice ten, that is, thirty times; and the aperture of the objective lens A must correspond to this magnifying power, according to the rule formerly laid down.

X. Hence you see, then, that on separating from a terrestrial telescope the two last lenses C and D , there would remain an astronomical telescope, and that these two lenses C and D would likewise form such a telescope. A terrestrial telescope, therefore, consists of two astronomical; and, reciprocally, two astronomical telescopes combined form a terrestrial.

This construction is susceptible of endless variations, some preferable to others, as I shall afterwards demonstrate.

6th April, 1762.



LETTER CVII.

Arrangement of Lenses in Terrestrial Telescopes.

YOU have now seen how, by the addition of two convex lenses to an astronomical telescope, a terrestrial one is produced, which represents the object upright. The four lenses, of which a terrestrial telescope is composed, are susceptible of an infinite variety of arrangement, with respect to both focus and distance. I shall explain those which are of most essential importance, and refer you to *plate X. fig. 1.*

I. With respect to their distances, I have already remarked, that the interval between the two first lenses A and B is the sum of their focal distances; and the same thing holds as to the last lenses C and D, for each pair may be considered as a simple telescope, composed of two convex lenses. But what must be the interval between the two middle lenses B and C? May it be fixed at pleasure? As it is certain that, whether this interval be great or small, the magnifying power, always compounded of the two which each pair would produce separately, must continue the same.

II. On consulting experience, we soon perceive that when the two middle lenses are placed very near each other, the apparent field almost entirely vanishes; and the same thing takes place when they are too far separated. In both cases, to whatever

2

object

object the telescope is pointed, we discover only a very small part of it.

III. For this reason artists bring the last pair of lenses nearer to the first, or remove them to a greater distance, till they discover the largest field, and delay fixing the lenses till they have found this situation. Now, they have observed, that, in settling this most advantageous arrangement, the distance of the middle lenses B and C is always greater than the sum of the focal distances of these same two lenses.

IV. You will readily conclude that this distance cannot depend on chance, but must be supported by a theory, and that, affording a termination much more exact than what experience alone could have furnished. As it is the duty of a natural philosopher to investigate the causes of all the phenomena which experience discovers, I proceed to unfold the true principles which determine the most advantageous distance B C between the two middle lenses. For this purpose I refer to *plate X. fig. 2.*

V. As all the rays must be conveyed to the eye, let us attend to the direction of that one which, proceeding from the extremity *o* of the visible object, passes through the centre A of the objective lens; for unless this ray is conveyed to the eye, this extremity *o* will not be visible. Now, this ray undergoes no refraction in the objective lens, for it passes through the centre A; it will therefore proceed in a straight line to the second lens, which it will meet in its extremity *b*, as this is the last ray transmitted through the lenses.

VI. This



VI. This ray, being refracted by the second lens, will change it's direction so as to meet somewhere, at n , the axis of the lenses; this would have happened to be the focus of this lens, had the ray $A b$ been parallel to the axis; but as it proceeds from the point A , it's reunion with the axis at n will be more distant from the lens B , than it's focal distance.

VII. We must now place the third lens C in such a manner that the ray, after having crossed the axis at n , may meet it exactly in it's extremity c , from which it is evident that the greater the aperture of this lens C is, the farther it must be removed from the lens B , and the greater the interval $B C$ becomes; but on the other hand, care must be taken not to remove the lens C beyond that point, as in this case the ray would escape it, and be transmitted no farther. This circumstance, then, determines the just distance between the two middle lenses B and C , conformably to experience.

VIII. This lens C will produce a new refraction of the ray in question, which will convey it precisely to the extremity d of the last ocular lens D , which, being smaller than C , will render the line $c d$ somewhat convergent toward the axis, and will thus undergo, in the last lens, such a degree of refraction as will reunite it with the axis at less than it's focal distance; and there it is exactly that the eye must be placed, in order to receive all the rays transmitted through the lenses, and to discover the greatest field.

IX. Thus we are enabled to procure a field whose diameter is almost twice as large as with an astronomical

mical telescope of the same magnifying power. By means, then, of these telescopes, with four lenses, we obtain a double advantage, the object is represented upright, and a much larger field is discovered: both, circumstances of much importance.

X. Finally, it is possible to find such an arrangement of these four lenses, as, without affecting either of the advantages now mentioned, shall entirely do away the defect arising from the colours of the rainbow, and at the same time represent the object with all possible distinctness. But few artists can attain this degree of perfection.

10th April, 1762.

LETTER CVIII.

Precautions to be observed in the Construction of Telescopes. Necessity of blackening the Inside of Tubes. Diaphragms.

AFTER these researches respecting the construction of telescopes, I must suggest and explain certain precautions necessary to be used; which, though they relate neither to the lenses themselves, nor to their arrangement, are nevertheless of such importance, that if they are not very carefully observed, the best instrument is rendered entirely useless. It is not sufficient that the lenses should be arranged in such a manner that all the rays which fall upon them shall be transmitted through these lenses to the eye; care must be taken, besides, to prevent



the transmission of extraneous rays through the telescope, to disturb the representation. Let the following precautions, then, be taken.

I. The lenses, of which a telescope is composed, must be inclosed in a tube, that no other rays, except those which are transmitted through the objective, may reach the other lenses. For this effect, the tube must be very close throughout, that not a chink admit the smallest portion of light. If by any accident the tube shall be perforated ever so slightly, the extraneous light admitted would confound the representation of the object.

II. It is likewise of importance to blacken, throughout, the inside of the telescope, of the deepest black possible, as it is well known that this colour reflects not the rays of light, be they ever so powerful. You must have observed, accordingly, that the tubes of telescopes are always blackened internally. A single reflection will shew the necessity of it.

III. The objective lens *A*, (*plate X. fig. 3.*) transmits not only the rays of the object represented by the telescope, but those also which by the extremities enter all around in great abundance; such is the ray *b a*, which falls, on the inside, upon the frame of the tube at *i*: if, therefore, the tube were white inwardly, or of any other colour, it would be illuminated by this ray, and of itself would generate new rays of light, which must of necessity be conveyed through the other lenses, and disturb the representation by mingling with the proper rays of the object.

IV. But if the inside of the tube be blackened deeply,

deeply, no new rays will be produced, let the light be ever so strong. This blackening must be carried through the whole length of the telescope, as there is no black so deep as not to generate, when illuminated, some faint light: supposing, then, that some extraneous rays were to make their way to the second lens *B*, the black of the tube, pursuing their course, would easily absorb them altogether. There is a brilliant black, which, for this reason, it would be very improper to employ.

V. But even this precaution is not sufficient, it is necessary likewise to furnish the inside of the tube with one or more diaphragms, perforated with a small circular aperture, the better to exclude all extraneous light; but care must be taken that they exclude not the rays of the object which the instrument is intended to represent. See *plate X. fig. 4.*

VI. It is necessary to observe at what place, in the tube, the proper rays of the object are most contracted; this must be at the points where their images are represented, for there all the rays are collected together. Now, the objective lens *A* represents the image in its focus at *M*. You have only, then, to compute the magnitude of this image, and there to fix your diaphragm, whose aperture *m n* shall be equal to the magnitude of the image, or rather somewhat greater. For if the aperture were less than the image, there would be a proportional loss of the apparent field, which is always a great defect.

VII. These are the observations, respecting the diaphragm,



diaphragm, which apply to astronomical telescopes, composed of two convex lenses. In terrestrial telescopes two images are represented within the tube: besides the first at M, represented by the objective in it's focus, and which the second lens B transports to an infinite distance, the third lens C represents a second image in it's focus N, which is upright, whereas the former was inverted. At N, therefore, is the proper place to fix a second diaphragm perforated with an aperture $n n$, of the magnitude of the image there represented.

VIII. These diaphragms, aided by the blackness of the inside of the tube produce likewise an excellent effect with respect to distinctness of representation. It must be carefully observed, however, that the greater the field is which the telescope discovers, the less is to be expected from these diaphragms, as in that case the images become greater, so that the aperture of the diaphragms must be so enlarged as to render them incapable of any longer excluding the extraneous rays. So much the greater care, therefore, must be taken, thoroughly to blacken the inside of the tube, and to make it larger, which considerably diminishes the unpleasant effect of which I have been speaking,

13th April, 1762.

LETTER

LETTER CIX.

In what Manner Telescopes represent the Moon, the Planets, the Sun, and the fixed Stars. Why these last appear smaller through the Telescope than to the naked Eye. Calculation of the Distance of the fixed Stars, from a Comparison of their apparent Magnitude with that of the Sun.

I AM persuaded that, by this time, you are very well pleased, to be relieved, at length, from the dry theory of telescopes, which is rendered agreeable only by the importance of the discoveries which they have enabled us to make.

What pleasing surprize is felt on seeing very distant objects as distinctly as if they were one hundred times nearer to us, or more, especially in cases where there is no possibility of reaching them, which holds with respect to the heavenly bodies! And you are already disposed to admit, that, with the aid of the telescope, many wonderful things relating to the stars have been discovered.

On viewing the moon one hundred times nearer than she really is, many curious inequalities are discernible; such as excessive heights and profound depths, which, from their regularity, resemble rather works of art than natural mountains. Hence a very plausible argument is deduced, to prove that the moon is inhabited by reasonable creatures. But we have proofs still more satisfactory in simply contemplating

F f 3

the



the almighty power, in union with the sovereign wisdom and goodness, of the Great Creator.

Thus the most important discoveries have been made respecting the planets, which, to the unassisted eye, appear only as so many luminous points; but which, viewed through a good telescope, resemble the moon, and appear even still much greater.

But you will be not a little surprized, when I assure you, that with the assistance of the best telescope, even one which magnifies more than two hundred times, the fixed stars still appear only as points, nay still smaller than to the naked eye. This is so much the more astonishing, that it is certain the telescope represents them such as they would appear were we two hundred times nearer. Are we not, hence, reduced to the necessity of concluding that, here, telescopes fail to produce their effect? But this idea presently vanishes, on considering that they discover to us millions of little stars which, without their aid, must have for ever escaped the eye. We likewise perceive the distances between the stars incomparably greater; for two stars which, to the naked eye, seemed almost to touch each other, when viewed through the telescope, are seen at a very considerable distance; a sufficient proof of the effect of the telescope.

What, then, is the reason that the fixed stars appear to us smaller through the telescope than to the naked eye? In resolving this question, I remark, first, that the fixed stars appear greater to the naked eye than they ought to do, and that this arises from a false

false light, occasioned by their twinkling. In fact, when the rays proceeding from a star come to paint their image at the bottom of the eye, on the retina, our nerves are struck by it only in one point, but, by the lustre of the light, the adjacent nerves likewise undergo a concussion, and produce the same feeling, which would be communicated, if the image of the object painted on the retina were much greater. This happens on looking, in the night, at a very distant light. It appears much greater than when we view it at a small distance, and this increase of magnitude is occasioned only by a false glare. Now, the more that a telescope magnifies, the more this accident must diminish; not only because the rays are thereby rendered somewhat fainter, but because the real image at the bottom of the eye becomes greater: so that it is no longer a single point which supports the whole impression of the rays. Accordingly, however small the stars may appear through a telescope, we may confidently affirm, that, to the naked eye, they would appear still much smaller but for this accidental false light, and that as many times as the telescope magnifies.

Hence it follows, that, as the fixed stars appear only like so many points, though magnified more than 200 times, their distance must be inconceivable. It will be easy for you to form a judgment how this distance may be computed. The diameter of the sun appears under an angle of 32 minutes: if, therefore, the sun were 32 times farther off, he would appear under an angle of one minute; and, consequently,



quently, still much greater than a fixed star viewed through the telescope, the diameter of which does not exceed two seconds, or the thirtieth part of a minute. The sun, therefore, must be thirty times more, that is 960 times, farther removed, before his appearance could be reduced to that of a fixed star observed with the assistance of a telescope. But the fixed star is 200 times farther off than the telescope represents it; and, consequently, the sun must be 200 times 960, that is, 192,000 times farther off than he is, before he could be reduced to the appearance of a fixed star. It follows, that if the fixed stars were bodies as large as the sun, their distances would be 192,000 times greater than that of the sun. Were they still greater, their distances must be still so many times greater; and supposing them even many times smaller, their distances must always be more than a thousand times greater than that of the sun. Now the distance of the sun from our globe is about 15,000,000 of German miles.

It is impossible, undoubtedly, to think of this immense distance of the fixed stars, and of the extent of the whole universe, without astonishment. What must be the power of that GREAT BEING who created this vast fabric, and who is the absolute Master of it? Let us adore Him with the most profound veneration.

17th April, 1762.

LETTER

LETTER CX.

Why do the Moon, and the Sun, appear greater at rising and setting, than at a certain Elevation? Difficulties attending the Solution of this Phenomenon.

YOU must have frequently remarked, that the moon, at rising and setting, appears much larger than when she is considerably above the horizon; and every one must give testimony to the truth of this phenomenon. The same observation has been made with respect to the sun. This appearance has long been a stumbling-block to philosophers; and, viewed in whatever light, difficulties almost insuperable present themselves.

It would be ridiculous to conclude, that the moon's body is really greater, when she is in the horizon, than when she has attained her greatest elevation. For, besides that such an idea would be absurd in itself, it must be considered, that when the moon appears to us in the horizon, she appears to other inhabitants of our globe, more elevated, and consequently smaller. Now, it is impossible that the same body should be, at the same time, greater and smaller.

It would be almost equally ridiculous to attempt the solution of this strange phenomenon, by supposing that the moon is nearer to us when she appears in the horizon, than when she is arrived at a great elevation, from our certain knowledge that a body appears greater in proportion as it is nearer us; and you know that the more distant any object is, the smaller



smaller it appears. It is for this reason precisely, that the stars appear so extremely small, though their real magnitude be prodigious.

But however plausible this idea may seem, it is totally destitute of foundation; for it is undoubtedly certain, that the moon is at a greater distance from us at rising and setting, than when at a greater elevation. The demonstration follows: (*plate X. fig. 5.*)

Let the circle ABD be the earth, and the moon at L . This being laid down, an inhabitant at A will see the moon in his zenith, or the most elevated point of the heavens. But another inhabitant at D , where the line DL touches the surface of the earth, will see the moon at the same time in his horizon; so that the moon will appear, at the same instant, to the spectator A in his zenith, and to the other spectator D in his horizon. It is evident however, that the last distance DL is greater than the first AL , and, consequently, the moon is more distant from those who see her in the horizon, than from those who see her near their zenith. Hence it clearly follows, that the moon, when seen in the horizon, ought to appear smaller, being then, in fact, farther from us, than when arrived at a great elevation. It is astonishing, therefore, that observation should be in direct contradiction to this, and that the moon should appear much greater when viewed near the horizon, than in the summit of the heavens.

The more this phenomenon is investigated, the more strange it appears, and the more worthy of attention: it being undoubtedly certain, that the moon
when

when most remote, that is, in the horizon, ought to appear smaller, whereas, nevertheless, every one is decidedly of opinion that she then appears considerably greater. This contradiction is evident, and even seems to overturn all the principles laid down in optics, which, however, are as clearly demonstrable as any in geometry.

I have purposely endeavoured to set this difficulty in it's strongest light, in order to make you the more sensible of the importance of the true solution. Without entering into a discussion of this universal judgment formed from appearances, respecting the prodigious magnitude of the moon in the horizon, I shall confine myself to the principal question: Is it true, in fact, that the moon, when near the horizon, actually appears greater?

You know that we are possessed of infallible means of exactly measuring the heavenly bodies, by ascertaining the number of degrees and minutes which they occupy in the heavens; or, which amounts to the same thing, by measuring (*plate X. fig. 6.*) the angle EOF , formed by the lines EO and FO , drawn from the opposite points of the moon, to the eye of the spectator O ; and this angle EOF is what we call the apparent diameter of the moon. We have likewise instruments perfectly adapted to the purpose of exactly determining this angle. Now, when we employ such an instrument in measuring the moon's diameter, first at her rising, and afterward, when she has gained her greatest elevation, we actually find her diameter somewhat less in the first case than in the other, as the inequality of distance
requires.



requires. There cannot remain the shadow of doubt as to this; but, for that very reason, the difficulty, instead of diminishing, gathers strength; and it will be asked with so much the more eagerness; How comes it that the whole world agrees in imagining the moon to be greater when rising or setting, though her apparent diameter is then, in reality, smaller? and, What can be the reason of this delusion to which men are universally subject? The astronomer, who knows perfectly well that the moon's apparent diameter is then smaller, falls nevertheless into the same deception as the most ignorant clown.

20th April, 1762.

LETTER CXI.

Reflections on the Question respecting the Moon's apparent Magnitude; Progress toward a Solution of the Difficulty. Absurd Explanations.

YOU would scarcely have believed, that the simple appearance of the moon involved so many difficulties; but I hope I shall be able to clear the way toward a solution, by the following reflections.

I. It is not astonishing that our judgment respecting the magnitude of objects should not always be in correspondence with the visual angle under which we see it: of this, daily experience furnishes sufficient proof. A cat, for example, appears, when very near, under a greater angle than an ox at the distance of 100 paces. I could never, at the same time, imagine

the

the cat to be larger than the ox: and you will please to recollect, that our judgment respecting magnitude is always intimately connected with that of distance; so that if we commit a mistake in the calculation of distance, our judgment respecting magnitude becomes, of necessity, erroneous.

II. In order to elucidate this more clearly, it sometimes happens that a fly passing suddenly before the eye, without our thinking of it, if our sight is fixed on a distant object, we imagine, at first, that the fly is at a great distance; and as it appears under a very considerable angle, we take it, for a moment, to be a large fowl, which, at the proper distance, would appear under the same angle. It is, then, incontrovertibly certain, that our judgment respecting the magnitude of objects is not regulated by the visual angle under which they are seen, and that there is a very great difference between the apparent magnitude of objects, and the calculated or computed magnitude. The first is regulated by the visual angle, and the other depends on the distance to which we suppose the object to be removed.

III. To avail myself of this remark, I farther observe, that we ought not to say, that we see the moon greater in the horizon, than at a considerable elevation. This is absolutely false, for we then see her even somewhat less. But to speak accurately, we ought to say that we judge and compute the moon greater when she is in the horizon; and this is literally true with the unanimous consent of all mankind. This is sufficient to reconcile the apparent contradiction

contradiction



contradiction formerly suggested; for nothing prevents our judging or computing the moon to be greater when she rises or sets, though she is seen under a smaller visual angle.

IV. We are no longer, then, called upon to explain why we see the moon greater in the horizon, which is impossible, for, in reality, she then appears smaller, as may be demonstrated by measuring the visual angle. The difficulty, therefore, is reduced to this; Wherefore do we judge or compute the moon to be greater, when in those situations? or rather, we must endeavour to account for this whimsical computation. The thing is not surprizing in itself, as we know a thousand cases in which we estimate objects to be very great, though we see them under very small angles.

V. We have only to say, then, that when the moon is rising or setting, we suppose her to be at a greater distance, than when she has attained a certain elevation. Whenever this computation is settled, whatever may be the cause of it, the consequence is necessary, that we must likewise conclude the moon to be greater in proportion. For in every case, the more distant we estimate any object to be, the greater we presume it is, and this in the same proportion. As soon as I imagine, by whatever illusion, that a fly passing close before my eye is at the distance of 100 paces, I am obliged, almost whether I will or no, to suppose it as many times greater as 100 paces exceed the real distance of the fly from my eyes.

VI. We are now, therefore, reduced to a new

question: Wherefore do we presume that the moon is at a greater distance when she is seen in the horizon? and, Wherefore is this illusion so universal as not to admit of a single exception? For the illusion of imagining that the moon is then at a much greater distance is altogether unaccountable. It is undoubtedly true that the moon is, then, really a little more distant, as I demonstrated in my last letter, but the difference is so trifling as to be imperceptible. Besides, the sun, though 100 times more distant than the moon, does not appear so, and the eye estimates even the fixed stars as nearly at the same distance.

VII. Though, therefore, when the moon is in the horizon, she is actually a little more distant, this circumstance cannot affect the present question; and this universal computation, which induces the whole world to imagine the moon to be then at a much greater distance than she really is, must be founded on reasons entirely different, and capable of producing universal illusion. For, as the computation is unquestionably erroneous, the reasons which determine us to make it must necessarily be very striking.

VIII. Some philosophers have attempted to explain this phenomenon, by alleging, that it is occasioned by the intervention of various objects between us and the moon, such as cities, villages, forests, and mountains. This, say they, is the reason that she then appears to be much farther off; whereas, when she has attained a considerable elevation, as no other body intervenes, she must appear to be nearer. But this explanation, however ingenious it may at first



light appear, is destitute of solidity. On looking at the moon in the horizon, through a small aperture made in any body which shall conceal the intermediate objects, she nevertheless still seems greater. Besides, we do not always imagine that objects, between which and us many other bodies interpose, are more distant. A great hall, for example, when quite empty, usually appears much larger than when filled with company, notwithstanding the numerous objects then interposed between us and the walls of the apartment.

24th April, 1762.

—••••—
LETTER CXII.

An Attempt toward the true Explanation of this Phenomenon: The Moon appears more distant when in the Horizon, than when at a great Elevation.

WE are still, then, very far from the true solution of this universal illusion, under which all, without exception, are induced to imagine the moon to be much greater when in the horizon, than when considerably elevated. I have already remarked, that this phenomenon is so much the more unaccountable, from it's being demonstrable that the moon's apparent diameter is then even somewhat less: we ought not, therefore, to say, that we then see the moon greater, but that we imagine her to be so.

Accordingly, I have very often observed our judgment

ment of objects to differ very widely from vision itself. We do not hesitate, for example, to conclude, that a horse 100 paces distant is larger than a dog one pace distant, though the apparent magnitude of the dog is unquestionably greater, or, which amounts to the same thing, though the image of the dog, painted on the bottom of the eye, be greater than that of the horse. Our judgment, in this case, is regulated by taking distance into the account, and laying it down that the horse is much farther off than the dog, we conclude he is much larger.

It is very probable, therefore, that the same circumstance may take place respecting the moon's appearance, and induce us to reckon the moon greater, when in the horizon, than at a considerable elevation. In the case of the horse, our computation of distance was founded in truth; but here, as it is absolutely erroneous, the illusion must be singularly unaccountable, but must, at the same time, have a certain foundation, as it's prevalence is universal, and cannot, therefore, be imputed to caprice. Wherein can it consist? This is to be the subject of our present enquiry.

I. Every one considers the azure expanse of heaven as a flattened arch, the summit of which is much nearer to us than the under part, where it meets the horizon. A person, accordingly, standing on a plane AB (*plate X. fig. 7.*) which extends as far as his sight perceives the vault of heaven, commonly called the firmament, under the figure AEFB, in which

VOL. II.

G g

the



the distances CA and CB are much greater than from the zenith to C .

II. This idea is likewise, beyond all question, a mere illusion; there being, in reality, no such vault surrounding and inclosing us on every side. It is a void of immense extent, as it reaches to the most distant of the fixed stars, an interval that far exceeds all power of imagination. I use the word *void* to distinguish it from gross terrestrial bodies. For, near the earth, space is occupied by our atmosphere; and beyond, by that fluid, infinitely more subtle, which we call *ether*.

III. Though this vault, however, has no real existence, it possesses an undoubted reality in our imagination; and all mankind, the philosopher as well as the clown, are subject to the same illusion. On the surface of this arch we imagine the sun, the moon, and all the stars to be disposed, like so many brilliant studs affixed to it; and though we have a perfect conviction of the contrary, we cannot help giving into the illusion.

IV. This being laid down, when the moon is in the horizon, imagination attaches her to the point A or B of this supposed vault, and hence we conclude her distance to be as much greater as we consider the line CA or CB to be greater than CZ ; but when, as she ascends, and approaches the zenith, we imagine she comes nearer, and if she reaches the very zenith we think she is at the least possible distance.

V. The illusion, as to distance, necessarily involves that

that which respects magnitude. As the moon at A appears much farther from C , than in the zenith, we are, in a manner, forced to conclude, that the moon is really so much greater; and that in the same proportion that the distance CA appears to exceed the distance CZ . All will not, perhaps, agree in determining this proportion; one will say, the moon appears to him twice as great, when in the horizon; another will say three times, and the generality will declare for the medium between two and three; but every one will infallibly agree in asserting that the moon appears larger.

VI. It may be necessary, here, to present you with the demonstration of this proposition. The computation of magnitude is necessarily involved in the computation of distance. When the moon is near the horizon, we see her (*plate X. fig. 8.*) under a certain angle, say MCA , the spectator being at C : and, when she is at a very great elevation, let $NC D$ be the angle under which we see her. It is evident that these two angles MCA and $NC D$ are nearly equal to each other, the difference being imperceptible.

VII. But, in the first case, as we estimate the moon's distance, to be much greater, or equal to the line CA , with reference to the imaginary vault above described, it follows, that we compute the moon's diameter to be equal to the line MA . But, in the other case, the distance of the moon CD appears much smaller, and, consequently, as the angle $NC D$ is equal to the angle MCA , the computed magnitud



magnitude DN will be much smaller than the computed magnitude AM.

VIII. To put this beyond a doubt, you have only to cut off from the lines CM and CA, the parts Cd and Cn equal to the lines CD and CN; and as in the two triangles Cdn and CDN, the angles at the point C are equal, the triangles themselves are likewise so, and, consequently, the line DN will be equal to the line dn; but dn is evidently smaller than AM, and that, as many times as the distance Cd and CD is less than CA. This is a clear demonstration of the reason why we estimate the moon to be greater when in the horizon, than when near the zenith.

29th April, 1762.

—o—o—o—
LETTER CXIII.

The Heavens appear under the Form of an Arch flattened toward the Zenith.

YOU will tax me, no doubt, with pretending to explain one illusion by another equally unaccountable. It may be said, that the imaginary vault of heaven is altogether as inconceivable as the increased appearance of the moon and the other heavenly bodies, when in, or near, the horizon. The objection is not without foundation, and therefore lays me under the necessity of attempting to explain the true reason, why the heavens appear in the form of an arch flattened toward the summit. The following

lowing reflections may, perhaps, be received as an acquittance of my engagement.

I. In order to account for this imaginary vault, it will be alleged that it proceeds from the appearance of the heavenly bodies, as seeming more remote, when in the horizon, than when near to, or in, the zenith. This is, undoubtedly, a formal *petitio principii*, as logicians call it, or a begging of the question, which every one is entitled to reject as a ground of reasoning. In truth, having said above, that the imaginary vault of heaven makes the moon, in the horizon, appear farther off than when near the zenith, it would be ridiculous to affirm, that the thing which leads us to imagine the existence of such a vault is, that horizontal objects appear more distant than vertical.

II. It was not, however, useless to suggest the idea of this imaginary vault, though it may not carry us a great way forward; and after I shall have explained, wherefore the heavenly bodies appear more remote when viewed near the horizon, you will be enabled to comprehend, at the same time, the reason of that two-fold universal illusion, namely, the apparently increased magnitude of the heavenly bodies, when in the horizon, and the flattened arch of heaven.

III. The whole, then, reverts to this, to explain wherefore the heavenly bodies, when seen in the horizon, appear more remote than when at a considerable elevation: I now affirm, it is because these objects appear less brilliant; and this imposes on me



the double task of demonstrating, why these objects display less brilliancy when in, or near, the horizon; and of explaining, how this circumstance necessarily involves the idea of a greater distance. I flatter myself I shall be enabled to discharge both of these to your satisfaction.

IV. The phenomenon itself will not be called in question. However greater the sun's lustre may be at noon, which it is then impossible to ascertain, you know that in the morning and evening, when he is rising or setting, it is possible to contemplate his body, without any injury to the eye; and the same thing takes place with respect to the moon and all the stars, whose brilliancy is greatly diminished in the vicinity of the horizon. We, accordingly, do not see the smaller stars when at a small elevation above the horizon, though they are sufficiently discernible at a certain height.

V. This being established beyond a possibility of doubt, the cause of this difference of illumination remains to be investigated. It is abundantly evident that we can trace it only in our atmosphere, or the body of air which encompasses our earth, in as far as it is not perfectly transparent. For if it were, so that all the rays should be transmitted through it, without undergoing any diminution, there could be no room to doubt, that the stars must always shine with the same lustre, in whatever region of the heavens they might be discovered.

VI. But the air, a substance much less fine and subtle than ether, whose transparency is perfect, is continually

continually loaded with heterogeneous particles, rising into it above the earth, such as vapours and exhalations, which destroy its transparency; so that if a ray should fall in with such a particle, it would be intercepted, and almost extinguished by it. It is accordingly evident, that the more the air is loaded with such particles, which prevent the transmission of light, the more rays must be lost by the interception; and you know that a very thick mist deprives the air of almost all its transparency, to such a degree, that it is frequently impossible to distinguish objects at three paces distance.

VII. Let the points marked, in *plate X. fig. 9.* represent such particles, scattered through the air, whose number is greater or less, according as the air is more or less transparent. It is evident, that many of the rays, which pervade that space, must be lost, and that the loss must be greater, in proportion as the space which they had to run through that air is greater. We see, then, that distant objects become invisible in a fog, while such as are very near the eye, may be still perceptible, because the rays of the first meet, in their progress, a greater number of particles which obstruct their transmission.

VIII. We must hence conclude, that the longer the space is, through which the rays of the heavenly bodies have to pass through the atmosphere, in order to reach our eyes, the more considerable must be their loss or diminution. Of this you can no longer entertain any doubt. All that remains, then, is simply to demonstrate, that the rays of the stars



which we see in, or near, our horizon, have a longer space of the atmosphere to pervade, than when nearer the zenith. When this is done, you will easily comprehend, why the heavenly bodies appear much less brilliant when near the horizon, than at the time of rising and setting. This shall be the subject of my next letter.

1/2 May, 1762.

LETTER CXIV.

Reason assigned for the Faintness of the Light of Heavenly Bodies in the Horizon.

WHAT I have just advanced, namely, that the rays of the heavenly bodies, when in the horizon, have a larger portion of our atmosphere to pervade, may appear somewhat paradoxical, considering that the atmosphere universally extends to the same height, so that, at whatever point the star may be, its rays must always penetrate through the whole of that height, before it can reach our eyes. The following reflections, I flatter myself, will give you complete satisfaction on the subject.

I. It is, first of all, necessary to form a just idea of the atmosphere which surrounds our globe. For this purpose, the interior circle ABCD (*plate X. fig. 10.*) shall represent the earth, and the exterior dotted circle *abcd* shall mark the height of the atmosphere. Let it be remarked that, universally, in proportion as the air rises above the surface of the earth,

earth, it becomes always more transparent and subtle, so that, at last, it is imperceptibly lost in the ether, which fills the whole expanse of heaven.

II. The grosser air, that which is most loaded with the particles that intercept and extinguish the rays of light, is universally found in the lower regions, near the surface of the earth. It becomes, therefore, more subtle as we ascend, and less obstructive of the light; and, at the height of a German mile, has become so transparent, as to occasion no perceptible obstruction whatever, of the light. The distance, then, between the interior circle and the exterior, may be fixed at a German mile, nearly, whereas the semi-diameter of the globe contains about 860 of such miles: so that the height of the atmosphere is a very small matter, compared with the magnitude of the globe.

III. Let us now consider, (*plate X. fig. 11.*) a spectator at A, on the surface of the earth; and drawing from the centre of the globe G, through A, the line GZ, it will be directed toward the zenith of the spectator. The line AS, which is perpendicular, and touches the earth, will be horizontal to it. Consequently, he will see a star at Z in his zenith, or in the summit of the heavens; but a star at S will appear to him in the horizon, at its rising or setting. Each of these stars may be considered as infinitely distant from the earth, though it was impossible to represent this in the figure.

IV. Now you have only to cast your eye once more on the figure, to be satisfied that the rays proceeding from S have a much longer space to travel through



through the atmosphere, than those from the star *Z*, before they reach the spectator at *A*. Those from the star *Z* have only to pass through the perpendicular height of the atmosphere *a A*, which is not above a German mile; whereas those that come from the star *S* have to travel the whole space *b A*, which is evidently much longer; and could the figure be represented more conformably to the fact, so as to exhibit the radius *G A* 860 times longer than the height *A a*, we should find the distance *A b* to exceed 40 such miles.

V. It is farther of importance to remark, that the rays of the star *Z* have but a very small space to travel through the lower region of the atmosphere, which is most loaded with vapour; whereas the rays of the star *S* have a much longer course to perform through that region, and are obliged to crawl, if I may use the expression, along the surface of the earth. The conclusion, then, is obvious. The rays of the star *Z* undergo scarcely any diminution of lustre, but those of the star *S* must be almost extinguished from so long a passage through the grosser air.

VI. It is indisputably certain, then, that the stars which we see in the horizon, must appear with a lustre extremely diminished; and it will simply account to you for a well-known fact, that you can, without any inconvenience, fix your eyes steadily on the rising or setting sun, whereas at noon, or at a considerable elevation, his lustre is insupportable. This is the first point I undertook to demonstrate; I proceed to the second, namely, to prove that it is the

the diminution of light which forces us, almost, to imagine the heavenly bodies at a much greater distance, than when we see them in all their lustre.

VII. The reason must be sought in terrestrial bodies, with which we are every day conversant, and respecting whose distance we form a judgment. But for the same reason that rays of light, in passing through the air, undergo some diminution of lustre, it is evident, that the farther an object is removed from us, the more of it's lustre it loses, and the more obscure it becomes in proportion. Thus a very distant mountain appears quite dark; but, on a nearer approach, we can easily discover trees on it, and other minuter objects, which it was impossible to distinguish at a very remote distance.

VIII. This observation, so general, and which never misleads us in contemplating terrestrial bodies, has produced in us, from our childhood, this fundamental principle, from which we conclude objects to be distant in proportion as the rays of light which they emit are weakened. It is in virtue of this principle, therefore, that we conclude the moon to be farther off at rising and setting, than at a considerable elevation; and for the same reason we conclude she is so much greater. You will, I flatter myself, admit this reasoning to be solid; and this embarrassing phenomenon to be as clearly elucidated as the nature of the subject permits.

4th May, 1762.



LETTER CXV.

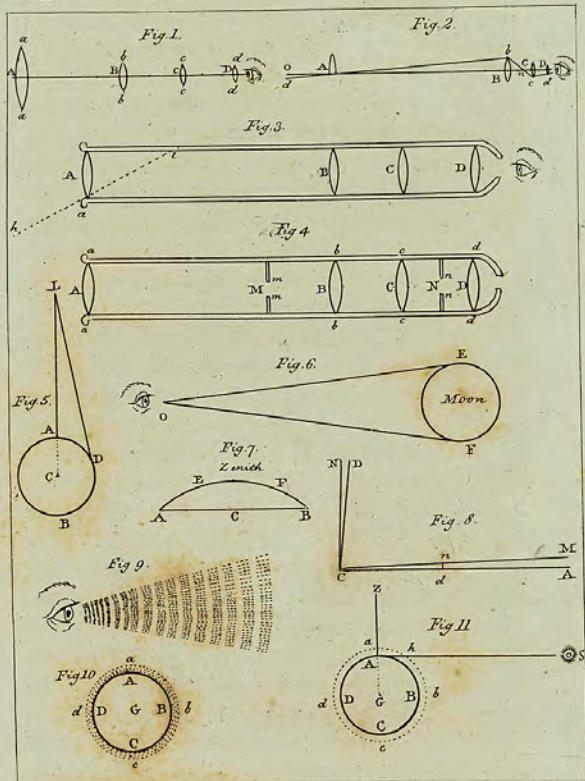
Illusion respecting the Distance of Objects, and the Diminution of Lustre.

THE principle of our imagination, by which I have endeavoured to explain the phenomenon of the moon's greater apparent magnitude in the horizon than at a considerable elevation, is so deeply rooted in our nature as to become the source of a thousand similar illusions, some of which I will take the liberty to suggest.

We have been habituated from infancy, almost involuntarily, to imagine objects to be distant in proportion as their lustre is diminished: and, on the other hand, very brilliant objects appear to be nearer than they really are. This illusion can proceed only from an ill-regulated imagination, which very frequently misleads us. It is nevertheless so natural, and so universal, that no one is capable of guarding against it, though the error, in many cases, is extremely palpable, as I have shewed in the instance of the moon: but we are equally deceived in a variety of other instances. As I shall presently make appear.

I. It is a well-known illusion, that the flame of a conflagration, in the night, appears much nearer than it really is. The reason is obvious; the fire blazes in all it's lustre, and in conformity to a principle pre-established in the imagination, we always conclude it to be nearer than it is in reality.

II. For





II. For the same reason, a great hall, the walls of which are perfectly white, always appears smaller. White, you know, is the most brilliant colour: hence we conclude the walls of such an apartment to be too near, and, consequently, the apparent magnitude is thereby diminished.

III. But in an apartment hung with black, as is the custom in mournings, we perceive the directly opposite effect. The apartment now appears considerably more spacious than it really is. Black is, undeniably, the most gloomy of colours, for it reflects scarcely any light on the eye; hence the walls of an apartment in deep mourning seem more distant than they are, and consequently greater; but let the black hangings be removed, and the white colour re-appear, and the apartment will seem contracted.

IV. No class of men avail themselves more of this natural and universal illusion than painters. The same picture, you know, represents some objects as at a great distance, and others as very near; and here the skill of the artist is most conspicuous. It is not a little surprizing, that though we know, to absolute certainty, all the representations of a picture to be expressed on the same surface, and, consequently, at nearly the same distance from the eye, we should be, nevertheless, under the power of illusion, and imagine some to be quite near, and others extremely distant. This illusion is commonly ascribed to a dextrous management of light and shade; which, undoubtedly, furnish the painter with endless resources.



sources. But you have only to look at a picture to be sensible, that the objects intended to be thrown to a great distance, are but faintly and even indistinctly expressed. Thus, when the eye is directed to very remote objects, we easily perceive, for example, that they are men, but it is impossible to distinguish the parts, such as the eyes, the nose, the mouth; and it is in conformity to this appearance, that the painter represents objects. But those which he intends should appear close to us, he displays in all the brightness of colouring, and is at pains clearly to express each minute particular. If they are persons, we can distinguish the smallest lineaments of the face, the folds of the drapery, &c.: this part of the representation seems, I may say, to rise out of the canvas, while other parts appear to sink and retire.

V. On this illusion, therefore, the whole art of painting entirely rests. Were we accustomed to form our judgment in strict conformity to truth, this art would make no more impression on us than if we were blind. To no purpose would the painter call forth all his powers of genius, and employ the happiest arrangement of colours, we should coldly affirm, on that piece of canvas, there is a red spot, here a blue one; there a black stroke, here some whitish lines: every thing is on the same plane surface; there is no rising nor sinking; therefore no real object can be represented in this manner: the whole would, in this case, be considered as a scrawling on paper, and we should, perhaps, fatigue ourselves to no purpose, in attempting to decypher the meaning of all these
different

different coloured spots. Would not a man, in such a state of perfection, be an object of much compassion, thus deprived of the pleasure resulting from the productions of an art, at once so amusing, and so instructive?

8th May, 1762.

LETTER CXVI.

On the Azure Colour of the Heavens.

YOU are now enabled to comprehend the reason why the sun and moon appear much greater when in the horizon, than at a considerable elevation. It consists in this, that we then unintentionally compute these bodies to be at a greater distance, a computation founded on the very considerable diminution which their lustre, in that position, undergoes, from the longer passage which the rays have to force, through the lower region of the atmosphere, which is the most loaded with vapours and exhalations, whereby the transparency is diminished. This is a brief recapitulation of the reflections which I have taken the liberty to suggest on this subject.

This quality of the air, which diminishes transparency, might, at first sight, be considered as a defect. But on attending to consequences, we shall find it so far from being such, that we ought, on the contrary, to acknowledge in it the infinite wisdom and goodness of the CREATOR. To this impurity of the air we are indebted for that wonderful and ravishing
spectacle



spectacle which the azure of the heavens presents to the eye; for the opaque particles, which obstruct the rays of light, are illuminated by them, and afterwards re-transmit their own proper rays, produced in their surface by a violent agitation, as is the case in all opaque bodies. Now, it is the number of vibrations communicated to them, which represents to us this magnificent azure: a circumstance which well deserves to be completely unfolded.

I. I observe, first, that these particles are extremely minute and considerably distant from each other, besides their being delicately fine and almost wholly transparent. Hence it comes to pass, that each, separately, is absolutely imperceptible, so that we can be affected by them only when a very great number transmit their rays at once to the eye, and nearly in the same direction. The rays of several must, therefore, be collected, in order to excite a sensation.

II. Hence it clearly follows, that such of these particles as are near to us escape our senses, for they must be considered as points dispersed through the mass of air.

But such as are very distant from the eye, as (*plate XI. fig. 1.*) the points *abc* collect in the eye, almost according to the same direction, their several rays, which, thus, become sufficiently strong to affect the sight, especially when it is considered that similar particles more remote, *efgh*, as well as others more near, concur in producing this effect.

III. The azure colour which we see in the heavens, when serene, is nothing else, then, but the result of
all

all these particles dispersed through the atmosphere, especially of such as are very remote: it may be affirmed, therefore, that they are in their nature blue, but a blue extremely clear, which becomes not sufficiently deep and perceptible, except when they are in a very great number, and unite their rays according to the same direction.

IV. Art has the power of producing a similar effect. If, on dissolving a small quantity of indigo, in a great quantity of water, you let that water fall drop by drop, you will not perceive in the separate drops the slightest appearance of colour; and on pouring some of it into a small goblet, you will perceive only a faint bluish colour. But if you fill a large vessel with the same water, and view it at a distance, you will perceive a very deep blue. The same experiment may be made with other colours. Burgundy wine, in very small quantities, appears only to be faintly reddish, but in a large flask completely filled, the wine appears of a deep red.

V. Water, in a large and deep vessel, presents something like colour, but, in a small quantity, is altogether clear and limpid. This colour is, commonly, more or less of a greenish cast, which may warrant us in saying, that the minute particles of water are likewise so, but of a colour so delicately fine that a great mass of it must be collected, before the colour can be perceptible, because the rays of a multitude of particles then concur toward producing this effect.

VI. As it appears probable, from this observation, that the minute particles of water are greenish, it
VOL. II. H h might



might be maintained, that the reason why the sea, or the water of a lake or pool, appears green, is the very same that gives the heavens the appearance of azure. For it is more probable, that all the particles of the air should have a faintly bluish cast, but so very faint, as to be imperceptible till presented in a prodigious mass, such as the whole extent of the atmosphere; than that this colour is to be ascribed to vapours floating in the air, but which do not appertain to it.

VII. In fact, the purer the air is, and the more purged from exhalation, the brighter is the lustre of heaven's azure; which is a sufficient proof, that we must look for the reason of it, in the nature of the proper particles of the air. Extraneous substances mingling with it, such as exhalations, become, on the contrary, injurious to that beautiful azure, and serve to diminish it's lustre. When the air is overloaded with such vapours, they produce fogs near the surface, and entirely conceal from us the azure appearance; when they are more elevated, as is frequently the case, they form clouds, which frequently cover the whole face of the sky, and present a very different colour from that of this azure of the pure air. This, then, is a new quality of air, different from those formerly explained, subtilty, fluidity and elasticity; namely, the minute particles of air, are in their nature bluish.

11th May, 1762.

LETTER

LETTER CXVII.

What the Appearance would be, were the Air perfectly transparent.

INDEPENDENT of the beautiful spectacle of the azure heavens, procured for us by this colour of the circumambient air, we should be miserable in the extreme, were it perfectly transparent, and divested of those bluish particles; and we have here a new reason for adoring the infinite wisdom and goodness of the CREATOR.

That you may have full conviction of the truth of my assertion, let us suppose the air to be quite transparent, and similar to the ether, which, we know, transmits all the rays of the stars, without intercepting so much as one, and contains no particles themselves illuminated by rays, for such a particle could not be so, without intercepting some of the rays which fell upon it. If the air were in this state, the rays of the sun would pass freely through it, without the re-transmission of any light to the eye: we should receive, then, those rays only which came to us immediately from the sun. The whole heavens, except the spot occupied by the sun, would appear, therefore, completely dark; and, instead of this brilliant blue, we should discover nothing, on looking upward, but the deepest black and the most profound night.

Plate XI. fig. 2. represents the sun; and the point

H h 2

O is



O is the eye of a spectator, which would receive, from above, no other rays but those of the sun, so that all illumination would be limited to the space of the small angle E O F. On directing the eye toward any other quarter of the heavens, say toward M, not a single ray would be emitted from it; and the appearance would be the same as if we looked into total darkness; now, every place which transmits no ray of light is black. But, here, the stars must be excepted, which are spread over the whole face of the heavens; for on directing the eye toward M, nothing need prevent the rays of the stars which may be in that quarter, from entering into it; nay, they would have even still more force, as they could suffer no diminution of lustre from the atmosphere, such as I am now supposing it. All the stars, therefore, would be visible at noon-day, as in the darkest night; but, it must be considered, that this whole day would be reduced to the space of the little angle E O F; all the rest of the heavens would be black as night.

At the same time, stars near the sun would be invisible, and we should not be able to see, for example, the star N, for on looking to it, the eye would likewise receive the rays of the sun, with which it must be struck so forcibly, that the feeble light of the star could not excite any sensation. I say nothing of the impossibility of keeping the eye open, in attempting to look toward N. This is too obvious not to be understood.

But on opposing to the sun an opaque body, which shall intercept his rays, you could not fail to see the

star N, however near it might be to the sun. It is easy to comprehend in what a dismal state we should then be. This proximity of lustre insupportable, and darkness the most profound, must destroy the organs of vision, and quickly reduce us to total blindness. Of this some judgment may be formed from the inconvenience we feel on passing suddenly from darkness into light.

Now, this dreadful inconvenience is completely remedied by the nature of the air, from its containing particles opaque to a very small degree, and susceptible of illumination. Accordingly, the moment the sun is above the horizon, nay somewhat earlier, the whole atmosphere becomes illuminated with his rays, and we are presented with that beautiful azure which I have described, so that our eyes, whichever way directed, receive a great quantity of rays, generated in the same particles. Thus, on looking toward M, (*see the same figure as before*) we perceive a great degree of light, produced by this brilliant azure of the heavens.

This very illumination of the atmosphere prevents our seeing the stars by day: the reason of this is obvious. It far exceeds that of the stars, and the greater light always makes the lesser to disappear; and the nerves of the retina, at the bottom of the eye, being already struck by a very strong light, are no longer sensible to the impression made by the feebler light of the stars.

You will please to recollect that the light of the full moon is upward of 300,000 times more faint



than that of the sun; and this will convince you, that the light proceeding from the stars, is a mere nothing in comparison with the light of the sun. But the illumination of the heavens, in the day-time, even though the sun should be over-clouded, is so great, as many thousand times to exceed the light of the full moon.

You must have frequently perceived that, in the night, when the moon is full, the stars appear much less brilliant, and that those only of superior magnitude are visible, especially in the moon's vicinity; a sufficient proof, that the stronger light always absorbs the feebler.

It is, then, an unspeakable benefit, that our atmosphere begins to be illuminated by the sun, even before he rises, as we are thereby prepared to bear the vivacity of his rays, which would otherwise be insupportable, that is, if the transition from night to day were instantaneous. The season during which the atmosphere is gradually illuminated before sunrise, and continues to be illuminated after he sets, is denominated twilight. This subject, from its importance, merits a particular explanation, which I propose to attempt in my next Letter: and thus, one article in physics naturally runs into another.

15th May, 1762.

LETTER

LETTER CXVIII.

Refraction of Rays of Light in the Atmosphere, and its Effects. Of the Twilight. Of the apparent rising and setting of the Heavenly Bodies.

IN order to explain the cause of the twilight, or that illumination of the heavens which precedes the rising of the sun, and continues some time after he is set, I must refer you to what has been already demonstrated respecting the horizon and the atmosphere.

Let the circle $A O B D$ (plate XI. fig. 3.) represent the earth, and the dotted circle $a o b d$ the atmosphere: let a point O be assumed on the surface of the earth, through which draw the straight line $H O R I$, touching the earth at O , and this line $H I$ will represent the horizon, which separates that part of the heavens which is visible to us, from that which is not. As soon as the sun has reached this line, he appears in the horizon, both at rising and setting, and the whole atmosphere is then completely illuminated. But let us suppose the sun, before his rising, to be still under the horizontal line at S : from which the ray $S T R$, grazing the earth at T , may reach the point of the atmosphere, situated in our horizon; the opaque particles which are there will already be illuminated by that ray, and consequently have become visible. Accordingly, some time before the rising of the sun, the atmosphere $h o R$ over

H h 4

our



our horizon begins to be illuminated at R, and in proportion as the sun approaches the horizon, a greater part of it will be illuminated, till it becomes, at length, completely luminous.

This reflection leads me forward to another phenomenon equally interesting, and very intimately connected with it, namely, that the atmosphere discovers to us the body of the sun and of the other stars, some time before they get above the horizon, and some time after they have fallen below it, by means of the refraction which rays of light undergo on passing from the pure ether into the grosser air, which constitutes our atmosphere; of this I proceed to give you the demonstration.

I. Rays of light do not continue to proceed forward in a straight line any longer than they move through a transparent medium of the same nature. As soon as they pass from one medium to another, they are diverted from their rectilinear direction, their path is as it were broken off; and this is what we call refraction, which I formerly explained at considerable length, and demonstrated that rays, on passing from air into glass, and reciprocally, are thus broken or refracted:

II. Now air being a different medium from ether, when a ray of light passes from ether into air, it must, of necessity, undergo some refraction.

Thus, the arch of the circle $A M B$ (*plate XI. fig. 4.*) terminating our upper atmosphere, if a ray of light $M S$, from the ether, falls upon it at M , it will not proceed straight forward in the same direction

tion $M N$, but will assume, on entering into the air, the direction $M R$, somewhat different from $M N$, and the angle $N M R$ is denominated the angle of refraction, or, simply, the refraction.

III. I have already remarked, that the refraction is greater in proportion as the ray $S M$ falls more obliquely on the surface of the atmosphere; or as the angle $B M S$ is smaller or more acute. For if the ray $S M$ falls perpendicularly on the surface of the atmosphere, that is, if the angle $B M S$ is a right angle, no refraction will take place, but the ray will pursue its progress in the same straight line. This rule is universally applicable to every kind of refraction, whatever may be the nature of the two media, through which the rays travel.

IV. Let the arch of the circle $A O B$ (*plate XI. fig. 5.*) represent the surface of the earth, and the arch $E M F$ terminate the atmosphere. If you draw at O the line $O M V$, touching the surface of the earth at O , it will be horizontal. And if the sun is still under the horizon at S , so as to be still invisible (for no one of his rays can yet reach us in a straight line) the ray $S M$, being continued in a straight line, would pass over us to N ; but as it falls on the atmosphere at M , and in a very oblique direction, the angle $F M S$ being very acute, it will thence undergo a very considerable refraction; and instead of proceeding forward to N , would assume the direction $M O$, so that the sun would be actually visible to a person at O , though still considerably below



low the horizon at S, or, which is the same thing, below the horizontal line O M V.

V. However, as the ray M O, which meets the eye, is horizontal, we assign that direction to the sun himself, and imagine him to be actually at V, that is, in the horizon, though he is still below it. And reciprocally, as often as we see the sun, or any other star, in the horizon, we are assured they are still below it, according to the angle S M V, which astronomers have observed to be about half a degree, or, more exactly, 32 minutes.

VI. In the morning, then, we see the sun before he has reached our horizon, that is, while he is yet an angle of 32 minutes below it; and in the evening a considerable time after he is really set, as we see him till he has descended an angle of 32 minutes. We call that the true rising and setting of the sun, when he is actually in the horizon; and the commencement of his appearance in the morning, and disappearing at night, we denominate the apparent rising and setting.

VII. This refraction of the atmosphere, which renders the apparent rising and setting of the sun both earlier and later than the real, procures for us the benefit of a much longer day than we should enjoy, did not the atmosphere produce this effect. Such is the explanation of a very important phenomenon in nature.

18th May, 1762.

LETTER

LETTER CXIX.

*The Stars appear at a greater Elevation than they are.
Table of Refractions.*

YOU have now, no doubt, a clear idea of this singular effect of our atmosphere, by which the sun and the other heavenly bodies are rendered visible in the horizon, though considerably below it, whereas they would be invisible but for the refraction. For the same reason, the sun, and all the heavenly bodies, always appear at a greater elevation above the horizon than they really are. It is necessary, therefore, carefully to distinguish the apparent elevation of a star, from what it would be were there no atmosphere. I shall endeavour to set this in the clearest light possible.

I. Let the arch A O B (*plate XI. fig. 6.*) be part of the surface of the earth, and O the spot where we are, through which draw the straight line H O R, touching the surface, and this line H O R will represent the true horizon. From O let there be drawn perpendicularly the straight line O Z, which is the same thing as suspending a given weight by a cord. This line is said to be vertical, and the point Z of the heavens, in which it terminates, is called the zenith. This line O Z, then, is perpendicular to the horizontal H O R, so that one being known, the other must be known likewise.

II. This being laid down, let (*plate XI. fig. 7.*) there



there be a star at S : were there no atmosphere, the ray SMO would proceed in a straight line to the eye at O , and we should see it in the same direction OMS , where it would actually be, that is, we should see it in its true place. Let us, then, measure the angle SOR , formed by the ray SO with the horizon OR , and this angle is named the height of the star, or its elevation above the horizon. We measure also the angle SOZ , formed by the ray SO with the vertical line OZ terminating in the zenith: and as the angle ZOR is a right angle, or 90 degrees, we have only to subtract the angle SOZ from 90 degrees, to have the angle SOR , which gives the true elevation of the star.

III. But let us now attend to the atmosphere, which I suppose terminated by the arch $HDNMR$; and, I remark, first, that the preceding ray SM of the star S , on entering into M in the atmosphere, does not proceed directly forward to the eye at O , but, from the refraction, will assume another direction as MP , and consequently will not meet the eye at O : so that if this star sent down to the earth only that ray SM , to a person at O it would be absolutely invisible. But it must be considered, that every luminous point emits its rays in all directions, and that all space is filled with them.

IV. There will be, then, among others, some ray, as SN , which is broken or refracted, on entering the atmosphere at N : so that its continuation NO shall pass precisely to an eye at O . The refracted ray NO is not, therefore, in a straight line with the
ray

ray SM ; and if NO be produced forward to s , the continuation Ns will form an angle with the ray NS , namely, the angle SNs , which is what we call the refraction, and which is greater in proportion as the angle SNR , under which the ray SN enters into the atmosphere, is more acute, as was demonstrated in the preceding Letter.

V. It is the ray NO , consequently, which paints in the eye the image of the star S , and which renders it visible: and as this ray comes in the direction NO , as if the star were in it, we imagine the star likewise to be situated in the direction NO , or in that line continued, somewhere at s . This point s being different from the real place of the star S , we call s the apparent place of the star, which must be carefully distinguished from its place S , where the star would be seen, were there no atmosphere.

VI. Since, then, the star is seen by the ray NO , the angle NOR , which this ray NO makes with the horizon, is the apparent altitude of the star; and when, by a proper instrument, we measure the angle NOR , we are said to have found the apparent altitude of the star; the real altitude being, as we have shewed, the angle ROS .

VII. Hence it is evident, that the apparent altitude RON , is greater than the real altitude ROM , so that the stars appear to us at a greater elevation above the horizon than they really are, for the same reason they appear already in the horizon while they are still below it. Now the excess of the apparent altitude above the true, is the angle MON , which
differs



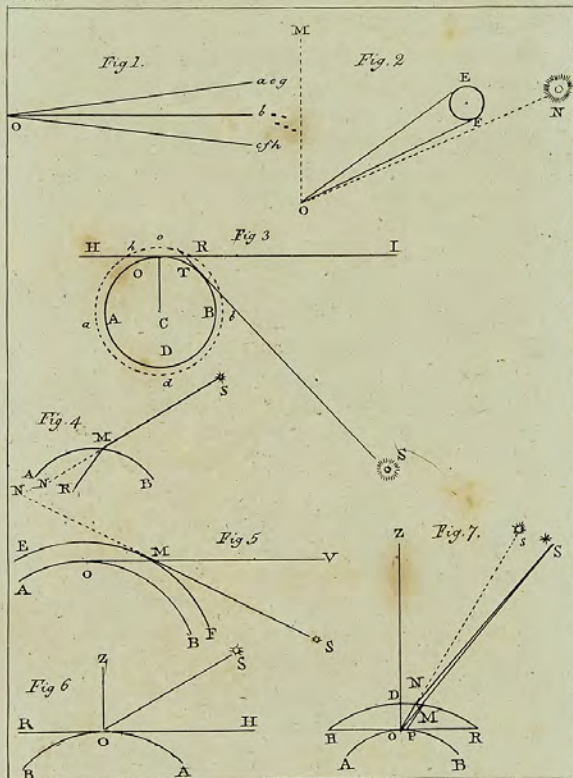
differs not from the SN_s , and which we call the refraction. For, though the angle SN_s , as being the external angle to the triangle SNO , is equal to the two internal and opposite angles taken together, namely, SON and NSO , we may consider, on account of the immense distance of the stars, the lines OS and NS as parallel, and, consequently, the angle OSN vanishes; so that the angle SON is nearly equal to the angle of refraction SN_s .

VIII. Having found, then, the apparent altitude of a star, you must subtract from it the refraction, in order to have the real altitude, which there is no other method of discovering. For this purpose, astronomers have been at much pains to ascertain the refraction to be subtracted from each apparent altitude, that is, to determine how much must be abated in order to reduce the apparent to the real altitude.

IX. From a long series of observations, they have been, at length, enabled to construct a table, called the table of refraction, in which is marked for every apparent altitude, the refraction, or angle to be subtracted. Thus, when the apparent altitude is nothing, that is, when the star appears in the horizon, the refraction is 32 minutes, the star is, accordingly, an angle of actually 32 minutes below the horizon. But if the star has acquired any degree of elevation, be it ever so inconsiderable, the refraction becomes much less. At the altitude of 15 degrees it is no more than four minutes; at the altitude of 40 degrees it is only one minute; and as the altitude encreases, the refraction always becomes less, till, at length

Vol. II.

Plate XI





length, it entirely disappears, at the altitude of 90 degrees.

X. This is the case when a star is seen in the very zenith; for it's elevation is then 90 degrees, and the real and apparent altitude is the same: and we are fully assured that a star seen in the zenith is actually there, and that the refraction of the atmosphere does not change it's place, as at every other degree of altitude.

THE END.



GLOSSARY

OF

FOREIGN AND SCIENTIFIC TERMS.

A.

ABERRATION, in Astronomy a slight deviation of a Star from the stated course. Latin.

ABSORPTION, the act of sucking or swallowing up. Latin.

ABSTRACTION, in Philosophy, that operation of the mind, which pursues a general idea, without attending to the particulars of which it is made up. Thus, *Man, Tree*, are *abstract* ideas, and may be pursued, without descending to any one individual person or plant, included in the general term. Accordingly, all qualities, such as *whiteness, cruelty, generosity*, are *abstract* ideas. Latin.

ACCORD, in Music, the same with *concord*, the relation of two sounds which are always agreeable to the ear, whether emitted at once or in succession. Latin.

ACHROMATIC-Glasses, in Optics, are a recent improvement of the Telescope, by which the inconveniency arising from the confused transmission of different coloured rays is prevented. The word is of Greek extraction, and signifies *colourless*.

AERIFORM, Latin, having the form or consistency of *Air*.

AEROSTATION, the art of ascending into the Atmosphere by means of a Balloon filled with inflammable Air. Latin.



- AFFIRMATIVE**-proposition, in Logic, a proposition which asserts or affirms; as *Man is mortal*. Latin.
- AIR-PUMP**, a machine for making experiments on air, chiefly by exhausting close vessels of that fluid.
- ALGEBRA**, an Arabic word; it is the Science of universal Arithmetic; the general process of which is, by comparing supposed and unknown numbers or quantities, with such as are known, to reduce supposition into certainty.
- ALKALI**, an Egyptian word; in Chemistry, any substance which, when blended with an acid, excites fermentation.
- ALTITUDE**, in Astronomy, the height of a Star above the Horizon. Latin.
- AMALGAMATE**, to incorporate mercury, or quicksilver, with other metals; sometimes used to denote, in general, the mixture and consolidation of several substances, so as to make them appear one. Greek.
- ANALAGOUS**, having resemblance or agreement. Greek.
- ANALYSIS**, resolution into first principles, whether in grammar, logic, mathematics, or chemistry. To give an instance, in Grammar, which is perhaps the most familiar to a young person's mind, an *analysis* of this sentence; *In the beginning God created the Heavens and the Earth*, is to indicate the various parts of speech of which it is composed, and the grammatical rules according to which they are arranged. The child may innocently amuse himself with the idea of a *Chemical analysis*, by a scientific process applied to a bowl of the vulgar liquor called punch. To analyze it, is to ascertain, by separation, the proportion of sugar, lemon-juice, spirit, and water, of which it is composed. Greek.
- ANATHEMA**, and it's compounds; something set apart to a sacred use; generally understood in an ungracious sense; devoted to destruction, accursed. Greek.
- ANATOMY**, the science of the structure of the body, and the art of dissecting and reasoning upon it. Greek.

ANGLE,

- ANGLE**, the meeting of two lines in a point, but so as not to form of both one straight line. Latin.
- ANTECEDENT**, in Logic, the former of two propositions, in a species of reasoning, which, without the intervention of any middle proposition, leads directly to a fair conclusion; and this conclusion is termed the *Consequent*. Thus *I reflect*; therefore *I exist*. *I reflect* is the *Antecedent*, therefore *I exist* is the *Consequent*. Latin.
- ANTIPODES**, the Inhabitants of the Globe diametrically opposite to us, and whose feet present exactly to our feet. Greek.
- APERTURE**, opening. Latin.
- APPROXIMATION**, a coming nearer to. In Astronomy, the gradual approach of two stars toward each other: in Arithmetic, a nearer approach to a number or root sought, without the possibility of arriving at it exactly. Latin.
- AQUEDUCT**, what conveys, or conducts *water*; a pipe, a canal. Latin.
- AQUEOUS**, watery, consisting of water. Latin.
- ARITHMETIC**, the science of numbers. Greek.
- ASTRONOMY**, the science of the heavenly bodies. Greek.
- ASTROLOGY**, the pretended science of predicting future events by means of the stars. Greek.
- ATMOSPHERE**, the body of air which surrounds the globe on all sides. Greek.
- AXIS**, in Geography, an imaginary straight line passing through the centre of the Earth from pole to pole, round which the Globe revolves once every twenty-four hours. Latin.

B.

BAROMETER, an instrument of glass filled with quicksilver, which indicates the pressure of the air, and which is in general use, as an index of the weather. The word is Greek, and signifies *weight-measurer*.

I i 2

BISECT,



BISECT, to cut into two equal parts. Latin.

BITUMINOUS, like to, or consisting of *bitumen*, a fat, clammy, easily inflammable juice, dug out of the earth, or scummed off lakes. Amber, pit-coal, and sulphur, are hard *bitumens*. Latin.

BOMB, a hollow cast-iron globe, to be thrown from a species of great gun called "*mortar*," and intended to burst by the force of gun-powder, at the moment of falling, and to scatter destruction all around. It is in this Work innocently employed to explain the path of all bodies forcibly thrown through the air, and the effect of gravity in bringing all heavy moving bodies down to the ground. Latin.

BOTANY, the science of Plants; or that part of natural and medicinal history which has the vegetable world for it's object. Greek.

C.

CAMERA OBSCURA, an apartment darkened, all but a small circular opening, to which a double-convex glass is fitted, and by which external objects are represented in their natural colours, motions, and proportions, on a white table within the apartment. Latin.

CATARACT, a body of water precipitated from a great height. Greek.

CATOPTRICKS, that branch of the science of vision which relates to reflected light. All bodies which you do not see through, but which from their polish and brightness throw back the light, belong to *catoptricks*, such as mirrors of every kind. The word is Greek, and signifies backward vision.

CAVITY, a hollow. Latin.

CAUSA-SUFFICIENS, *sufficient or satisfying cause or reason*, a jargon employed by certain Metaphysicians of the last age, who attempted to check all rational, experimental enquiry, by calling continually for the *causa sufficiens*, the adequate cause

of

of every fact that occurred, and of every observation that was made; while they were bewildering themselves, and attempting to bewilder mankind, in a philosophic maze, useless, reasonless, and therefore unsatisfactory.

CENTRE, a point within a circle or sphere, equally distant from every point of the surface or circumference. Latin.

CHART, a delineation on paper of part of the land or of the sea, or both. Latin.

CHEMISTRY, or **CHYMISTRY**, a word of uncertain derivation; the science of separating compound solid bodies, or of compounding simple bodies into one mass, by the force of fire.

CHIMERA, a vain and wild imagination. Latin.

CHORAL-mUSIC, a sacred band composed of voices and instruments. Latin.

CHROMATIC; in Opticks, relating to colour; in Music, to a certain series of sounds. Greek.

CIRCLE, a round figure, having this essential property, that every point of it's surrounding line, called the circumference, shall be equally distant from it's middle point, called the centre. Latin.

CIRCUMAMBIENT, encompassing round and round: applied particularly to air and water. Latin.

CIRCUMFERENCE, the surrounding line of a circle, every point of which must have an equal distance from it's middle point or centre. Latin.

COHESION, clinging or sticking together. Latin.

COLLISION, the clashing of one solid body against another. Latin.

COMET, a star with a fiery train, like flowing hair, averted from the sun; of uncertain appearance and re-appearance, but undoubtedly forming part of our solar system. Greek.

COMPLEX, made up of various qualities or ingredients. A beautiful, wise and good woman, is a *complex* idea, containing three distinct ideas, beauty, wisdom, goodness; you might



render it still more complex by the addition of high-born, rich, religious—but I must not make my idea too complex.

COMPRESSION, the act of reducing to a smaller space by pressure.

CONCAVE, the hollowed surface of a globular body. Latin.

CONCUSSION, mutual shock, by violent meeting of two solid bodies. Latin.

CONDENSATION, the act of contracting air into a smaller space, and thereby increasing it's elastic force, that is, it's power of bursting out. Latin.

CONGELATION, the reduction of a fluid to a solid substance, as water to ice by cold. Latin.

CONCENTRIC Circles, one within another, having a common centre. Latin.

CONICAL, having the form of a *cone*, which is a figure produced by turning round a right-angled triangle about it's perpendicular side; a common candle extinguisher conveys the idea of it. Greek.

CONSEQUENT. Take the trouble to look to the word *Antecedent*. They are what is called *correlative*, in other words the one cannot be understood but by referring to the other.

CONSONANCE, in Music, the agreement of two sounds emitted at the same time. Latin.

CONSTITUENT, contributing to make up or compose. Thus the constituent parts of gun-powder are saltpetre, sulphur, and charcoal. Latin.

CONTINUITY, uninterrupted connection; the unviolated union of the parts of an animal body. Latin.

CONTENTURE, an interweaving. Latin.

CONTOUR, the extreme bounding line of any object. Children delineate the *contours* of each other's faces by tracing, with a pencil, the line described on the wall, when the face is placed between a light and the wall. It is a French word.

CONVERGENT,

CONVERGENT, gradually approaching to each other. Placed at the extremity of an avenue of two rows of trees, planted in straight lines, equally distant throughout, you perceive them apparently approaching, and at length almost meeting; they are apparently *convergent*.

CONVEX, the prominent or swelling surface of a globular body. Latin.

CORNEA, the white, horny membrane of the eye. Latin.

CORPOREAL, belonging to body. Latin.

CORPUS CALLOSUM, in Metaphysics and Anatomy, the part of the human brain where the soul is supposed to reside. Latin, but of ludicrous derivation.

CORPUSCLE, a small or minute body. Latin.

COUCHING, an operation in Surgery, by which a film obstructing sight is by a needle or lancet removed from the aqueous humours of the eye; the word is of French extraction. The film removed is denominated *cataract*.

CRUCIBLE, an earthen pot which can stand fire, employed in melting and refining metals. Low Latin.

CRYSTALLINE, the lucid, various-coloured humour of the eye, which forms a beautiful circle, inclosed by the cornea, and inclosing the pupil, or central spot of that precious organ. Greek.

CUBE, and it's compounds; a figure square and rectangular in all it's dimensions and situations. A common die conveys the idea of it. A cubical room of twenty feet, is a room twenty feet long, twenty feet broad, and twenty feet high, and all in straight lines, and at right angles. Greek.

CURVE, a bending line. Latin.

CYLINDER, a figure formed by turning a parallelogram round one of it's sides as an axis. The barrel of a hand-organ is a cylinder. The word is derived from a Greek verb, which signifies to *wheel round*.



D.

DECOMPOSE, to separate things compounded: thus, in printing, to *compose* is to arrange the types in a frame, in the order of words and sentences; and to *decompose* is to take the frame to pieces. Latin.

DEGREE, in Geography, the three hundredth and sixtieth part of the circumference of the globe: it contains about 69 English miles. French.

DENSITY, thickness. Latin.

DEPHLOGISTIC, deprived of fiery inflammable qualities. Greek.

DETONATION, the thunder-like noise produced by firing off heavy artillery. Latin.

DIAGRAM, a figure delineated for the purpose of mathematical demonstration. Greek.

DIAMETER, a straight line drawn through the centre of a circle or globe, from circumference to circumference. Greek.

DIAPHANOUS body, that which easily transmits the light, as glass. Greek.

DIAPHRAGM, in optical instruments, a circular piece of pasteboard, or other non-transparent substance, applied to the object-glass, to exclude part of the rays of light. Greek.

DIATONIC, an epithet given to the common music, as it proceeds by tones, both ascending and descending. Greek.

DILATE, to expand, to spread over greater space. Latin.

DIMENSION, measure. Latin.

DIOPTRICKS, that branch of the science of vision which relates to the transmission of the rays of light *through* transparent bodies. Greek.

DISSONANCE, in music, sounds that do not harmonize, but are harsh and disagreeable to the ear. Latin.

DISTRACTION, tendency in different directions. Latin.

DIVERGENT,

DIVERGENT, straight lines, gradually removing farther and farther from each other. See *Convergent*. Latin.

DIVING-BELL, a machine of wood, glass, or metal, in form of a bell, for the purpose of conducting down into the water, with safety, persons employed in certain kinds of fishery, and in recovering goods lost by shipwreck.

DIVISIBILITY, capability of being divided. Latin.

DOUBLE-CONCAVE, an optical glass which has both surfaces hollowed.

DOUBLE-CONVEX, an optical glass which has both surfaces raised.

DUCAT, a *ducal* coin of gold, current on the continent, value about nine shillings and sixpence.

DUCTILE, pliant, easily drawn or spread out. Latin.

E.

EFFULGENCE, lustre, brightness. Latin.

ELASTICITY, a power in bodies of recovering their former situation, as soon as the force is removed, which had changed it. Thus, the extremities of a bow are brought nearer by drawing the string, but when the string is relaxed, the bow, by its *elasticity*, is restored to its natural state. It is a property of air, as well as of solid bodies. Greek.

ELECTRICITY, the disposition which certain bodies have of acquiring, by rubbing, the quality of attracting other bodies, and of emitting sparks of fire. It is derived from a Latin word signifying *amber*, which is one of the substances endowed with the electrical virtue.

ELICITE, to strike out by force. Thus by a sharp stroke of the steel on flint, fire is *elicited*. Latin.

ELOGIUM, or **EULOGIUM**, an oration in praise of one absent or dead. Greek.

ELUCIDATION,



ELUCIDATION, the act of explaining or rendering clearer. Latin.

EMANATION, an issuing or flowing from any substance as a source. Latin.

EMERSON, in Astronomy, the re-appearance of a star, after having been obscured by it's approach to the Sun, or by the intervention of another star intercepting the Sun's light. Latin.

EMISSION, the act of sending out, or giving vent. Latin.

ENCYCLOPEDIA, the whole circle of science: an universal scientific Dictionary, destined to the instruction of the young and ignorant. Greek.

EPICUREAN, belonging to the doctrine or philosophy of *Epicurus*; according to which man's duty and happiness are made to consist in sensual indulgence, it is accordingly become descriptive of refined luxury.

EQUATOR, an imaginary great circle, equally distant from both Poles, surrounding the Globe from East to West, and dividing it into the Northern and Southern Hemisphere. On it are marked the degrees of Longitude, from 1 to 360. It is by way of distinction called *the LINE*. Latin.

EQUIDISTANT, at equal distances. Latin.

EQUILIBRIUM, a Latin word, signifying exactness of balance or counter-poise. The Latin ablative with the preposition is adopted into our language, *in equilibrio*, to express perfectness of equality in opposed weights.

EQUINOX. The equalization of day and night, which takes place twice every year about the middle of the months of March and of September, when the Sun, in his alternate progress from North to South, and from South to North, passes directly over the Equator, which is likewise, for this very reason, frequently denominated the *Equinoctial Line*. Latin.

ERA, an important event or period of time, from which, as a beginning, computation of time is made. Latin.

ERUDITION,

ERUDITION, extensive and profound learning. Latin.

ETHER, the most subtle and pure of all fluids. Greek.

EVAPORATION, the act of flying off by the force of heat in fumes or vapor. Latin.

EXHALATION, a word of the same import with the former; *evaporation* may be considered as the cause, and *exhalation* as the effect. Latin.

EXPANSIBILITY, capability of being spread out, and of covering a larger surface. Latin.

EXPERIMENT, a practical trial made to ascertain any natural fact. Latin.

EXTENSION, space over which matter is diffused; size, magnitude. Latin.

EXTRANEOUS, not belonging to. Latin.

F.

FATHOM, a measure of length containing six feet. Saxon.

FIBRE, a small thread; in Anatomy, fibres are long, slender, whitish filaments, variously interwoven, which form the solid parts of an animal body. Latin.

FIFTH, in Music, one of the harmonic intervals or concords, and the third in respect of harmony, or agreeableness to the ear: it is thus called because it contains *five* terms, or sounds, between it's extremes. See Vol. I. Letter VII.

FILAMENT, the same with *fibre*. Latin.

FLUID, consisting of parts easily compressible and separable, as melted metals, water, air. Latin.

FLUX, in Geography, the rising of the tide. Latin.

FOCUS, in Optics, the little circle in which rays of light are collected, either after passing through a glass, or on being thrown back from it, and where they exert their greatest power of burning. Latin.

FORMULE,



- FORMULE**, a set or prescribed standard: a scheme for solving mathematical and algebraical questions. Latin.
- FORTE**, in Music, forcibly, in opposition to *piano*, softly. Latin.
- FOURTH**, in Music, one of the harmonic intervals, and the fourth in respect of agreeableness to the ear. It consists of two sounds blended, in the proportion of 4 to 3; that is, of sounds produced by chords, whose lengths are in the proportion of 4 to 3. See Vol. I. Letters VI. and VII.
- FRICTION**, the act of rubbing one solid body against another. Latin.
- FUSIBLE**, that may be easily melted. Latin.

G.

- GAMUT**, the scale of musical notes. Italian.
- GENUS**, kind, general class containing several species, which again contains many individuals. Thus, *Dog* is the *genus*; *Greyhound* is the *species*, and *light-foot* the individual. The Latin plural *genera* is in use.
- GEOGRAPHY**, a description of the Globe. Greek.
- GEOMETRY**, the science of quantity, magnitude or extension abstractly considered. Greek.
- GLAUCOUS**, azure-coloured. Greek.
- GLOBULE**, small globe; little particles of a spherical form. Latin.
- GRADATION**, regular progress from one step to another. Latin.
- GRAVITY**, weight; in the system of the Universe, that principle in all bodies which presses them down to, or attracts them toward, their centre. Latin.
- GROOVE**, a channel cut out in a hard body with a tool, fitted to another body which is designed to move in it.

HARMONY,

H.

- HARMONY**, in Music, a combination of sounds perfectly adapted to each other, so as to produce a pleasing effect on the ear. Greek.
- HEMISPHERE**, one half of a Globe. Greek.
- HETEROGENEOUS**, made up of dissimilar or discordant parts; it is the opposite of *homogeneous*, which signifies, made up of things similar. Greek.
- HORIZON**, the line which terminates the view. In Geography, an imaginary circle encompassing the Globe, and dividing it into the upper and under Hemispheres. To a person placed at either of the Poles, the *Equator* would be the real *Horizon*. The sensible *Horizon* is the circle visibly surrounding us, where the sky and the earth meet. Greek.
- HUMIDITY**, moisture. Latin.
- HYDROGRAPHY**, a description of that part of our Globe which consists of water.
- HYPOTHESIS**, a proposition or doctrine supposed to be true, but not yet confirmed by irrefragable argument or satisfying experiment. Greek.

I.

- IDEALIST**, a kind of Philosopher who denies the existence of matter, and reduces every thing to *idea* or mental image. Greek.
- ILLIMITABLE**, what admits of no bound. Latin.
- ILLUMINATION**, the act of diffusing light. Latin.
- ILLUSION**, what deceives by a false appearance. Latin.
- IMMATERIAL**, in Philosophy, not consisting of body or *matter*. Latin.
- IMMERSION**, in Astronomy, the disappearance of a star by a near approach to the Sun, or the interception of its light by another star interposing between the Sun and it. Latin.

IMPENETRABILITY.



- IMPENETRABILITY**, that property of all bodies, in virtue of which no two can occupy the same space, at the same time. Latin.
- IMPULSION**, the agency of one body in motion upon another. Latin.
- IMPUTABILITY**, the quality of being charged upon, or ascribed unto. Latin.
- INCIDENCE**, the direction in which one body falls upon or strikes another: and the angle formed by that line, and the plane struck upon, is called the angle of *incidence*. Latin.
- INDEX**, the fore-finger, any instrument that points out or *indicates*. Latin.
- INDIVIDUAL**, one separate, distinct, undivided whole.
- INERTIA**, that quality of bodies in virtue of which they are disposed to continue in a state of rest, when at rest, or of motion, when in motion; and which can be overcome only by a power not in body itself. Latin.
- INFINITY**, boundlessness, applied equally to space, number, and duration: *in infinitum* without limit, without end. Latin.
- INFLECTION**, the act of bending or turning. Latin.
- INHERENT**, naturally belonging to, and inseparable from. Latin.
- INTELLECTUAL**, relating to the understanding, mental. Latin.
- INTENSITY**, the state of being stretched, heightened, affected to a very high degree. Latin.
- INTERCEPTION**, the cutting off or obstruction of communication. Latin.
- INTERSECT**, mutually to cut or divide. Latin.
- INTERSTICE**, the space between one thing and another.
- INVERSE**, having changed places, indirect, turned upside down. Latin.
- IRIS**, the circle round the pupil of the eye. Latin.

LABYRINTH,

L.

- LABYRINTH**, maze, inextricable difficulty or perplexity. Latin.
- LATITUDE**, in Geography, measurement of the Globe from the *Equator*, Northward and Southward to the *Poles*, in degrees and minutes. The degree contains about 69 English miles, and a minute is the sixtieth part of a degree. The highest possible degree of *Latitude* is at the *Poles*, each being 90 degrees from the *Equator*. Latin.
- LENS**, a round glass, double-convex, for assisting vision, or deriving fire from the collected rays of the Sun. *Lenticular*, having the form of a *lens*.
- LEVEL**, rising or falling to the same height. Saxon.
- LITERATI**, the learned; the plural of the Latin word *literatus* a learned man.
- LOGIC**, the art of right reasoning, for the purpose of investigating, and communicating useful truth. Greek.
- LONGITUDE**, in Geography, measurement of the Globe in degrees and minutes, round and round, from East to West. Latin.
- LUNAR-TIDE**, the flowing and ebbing of the tide relatively to the Moon. Latin.
- LYMPHATIC**, vessels, slender, transparent tubes through which *lymph*, or a clear colourless fluid is conveyed.

M.

- MAGNET**, and it's compounds, a stone which attracts iron and steel; and gives a northerly direction to the needle of the Mariner's Compass. Art has been enabled, by means of bars of steel, successfully to imitate the natural *magnet* or loadstone. Latin.
- MAGNITUDE**, greatness, bulk, extension. Latin.

MANICHEAN,



- MANICHEAN**, one of a sect who maintained the existence of a supreme evil spirit.
- MAJOR**, in Logic, the first proposition of a syllogism, containing some general assertion or denial; as, *all men are mortal*; *no man is perfect*. Latin.
- MATERIALIST**, one who denies the existence of spiritual substances. Latin.
- MATHEMATICS**, the Science which has for its object every thing capable of being measured or numbered. Greek.
- MEAN**, or *Medium*, in Physics, somewhat intervening between one substance and another: in Logic, an intermediate proposition employed to lead to a fair and just conclusion. Latin.
- MECHANICS**, the Geometry of motion; the Science of constructing moving machinery. Greek.
- MEMBRANE**, a web of various fibres interwoven, for wrapping up certain parts of vegetable and animal bodies. Latin.
- MENISCUS-LENS**, in Optics, a glass which is convex on one surface, and concave on the other.
- MEPHITES**, poisonous, ill-scented vapor. Latin.
- MERCURY**, the chemical name of the fluid commonly called *quick-silver*. Latin.
- MERIDIAN**, in Geography, a great circle encompassing the Globe in the direction of South and North, and dividing it into the eastern and western Hemispheres. The degrees of Latitude, from the Equator to both Poles, are marked on this circle. Every spot of the Globe comes to it's *meridian* once in every twenty-four hours, that is, has it's instant of *noon*. Latin.
- METAPHYSICS**, otherwise called *Ontology*, the Science of the affections of being in general. It employs *abstract* reasoning. Turn to the word **ABSTRACT**. Greek.
- METEOROLOGY**, the Science of Meteors, that is, of bodies floating in the air, and quickly passing away. Greek.

MICROSCOPE,

- MICROSCOPE**, an optical instrument, which, by means of a greatly-magnifying glass, renders distinctly visible objects too minute for the unassisted eye. Greek.
- MINOR**, in Logic, the second, or particular proposition of a syllogism: for example, in this Syllogism,
All men are mortal:
But, The King is a man;
Therefore, The King is mortal.
The first proposition, *All men are mortal* is the *Major*; the second, *the King is a man*, is the *Minor*, and these two are called the *premises*; the third, *the King is mortal*, is the conclusion. Latin:
- MOBILITY**, easiness of being moved. Latin.
- MODE**, in Logic, particular form or structure of argument. Latin.
- MONAD**, a minute particle of matter which admits of no farther subdivision. Greek.
- MONOCHORD**, a musical instrument of one string. Greek.
- MYOPS**, short-sighted. Greek.

N.

- NADIR**, the Point in the heavens directly under foot. Arabic.
- NAVIGATION**, the art of sailing. Latin.
- NEGATION**, denial, the opposite of *affirmation*. Latin.
- NOTION**, thought; representation of any thing formed by the mind. Latin.

O.

- OBJECTIVE-LENS**, in Optics, that glass of a telescope which is turned to the *object* or thing looked at. Latin.
- OBLIQUE**, not direct, not perpendicular, not parallel. Latin.



- OBSERVATORY**, an edifice reared for the purpose of astronomical observations. Latin.
- OCCULT**, secret, unknown, undiscoversible. Latin.
- OCTAVE**, in Music, a regular succession of notes from one to eight; the first and the eighth having the same name and emitting the same sound. Latin.
- OCULAR-lens**, in Optics, that glass of a telescope which is applied to the eye. Latin.
- OPAQUE**, what does not transmit the rays of light, not transparent. Latin.
- OPTICS**, the Science of the nature and laws of vision, or sight. Greek.
- ORB**, sphere, heavenly globular body. Latin.
- ORBIT**, the circular path in which a planet moves round the Sun. Latin.
- OSCILLATION**, alternate moving backward and forward like the pendulum of a clock. Latin.

P.

- PARADOX**, a tenet which exceeds or contradicts received opinion, affirmation contrary to appearance. Greek.
- PARALLEL-lines**, in Geometry, lines which through the whole of their length maintain the same distance: they are the opposite of *convergent* and *divergent*. Greek.
- PARALLELISM**, state of being parallel.
- PARALLELOGRAM**, a geometrical figure of four sides, having this property, that the opposite sides are equal and parallel, and the opposite angles equal. Greek.
- PERLUCCID**, what transmits the rays of light: transparent. Latin.
- PENDULUM**, a heavy body suspended, so as to swing backward and forward without obstruction, for the purpose of measuring time.

- time: the great perfection of such an instrument is, that every vibration or swing shall be performed in exactly the same quantity of time. Latin.
- PERCEPTION**, the power of perceiving, knowledge, consciousness. Latin.
- PERMEABLE**, what may be passed through. Latin.
- PERPENDICULAR**, in Geometry, one line standing on another, or on a horizontal plane, without the slightest inclination to one side more than another, and forming right angles with the horizontal line or plane. Latin.
- PHALANX**, a military force closely embodied. Latin.
- PHASIS**, appearance presented by the changes of a heavenly body, particularly those of the Moon. The Greek and Latin plural *phases* is adopted in our language.
- PHENOMENON**, striking appearance of Nature. The Greek plural *phenomena* is in common use.
- PHILOSOPHY**, knowledge natural or moral: System in correspondence to which important truths are explained: Academic course of Science. Greek.
- PHYSICS**, the Science of Nature; natural Philosophy. Greek.
- PIANO**, in Music, softly, delicately, opposite to *forte*. Italian.
- PISTON**, the moveable circular substance fitted to the cavity of a tube, such as a pump or syringe, for the purpose of suction, expulsion, or condensing of fluids. French.
- PLANET**, a wandering star; those heavenly bodies, our globe being one, which perform a regularly irregular course round the Sun, are called *planets*. Greek.
- PLANO-CONCAVE**, in Optics, a glass which has one surface plane, and the other hollow. Latin.
- PLANO-CONVEX**, an optical glass which has one surface plane, and the other raised. Latin.
- PLENUM**, space filled with substance. Latin.



- PLUMB-LINE, a weight appended to a string, for the purpose of ascertaining perpendicularity.
- POLAR-CIRCLES, circles parallel to the Equator and the Tropics, at the distance of twenty three degrees and a half each from it's respective Pole. Latin.
- POLARITY, tendency toward the Pole. Latin.
- POLYGON, a figure having many sides and angles. Greek.
- POLYTHEISM, the doctrine of a plurality of Gods. Greek.
- POROUS, full of small minute passages. Greek.
- PRESBYTES, far-sighted. Greek.
- PRESCIENCE, foreknowledge. Latin.
- PREDICATE, in Logic, what is affirmed of the subject, as, *man is rational*. Latin.
- PREDILECTION, preference given from pre-conceived affection. Latin.
- PRE-ESTABLISHED HARMONY, the metaphysical doctrine of an original adaptation of mind to matter, by a creative act of the Supreme Will, in virtue of which every human action is performed.
- PRISM, a triangular optical instrument of glass, contrived for the purpose of making experiments with the rays of light. Greek.
- PROBLEM, a proposition announcing something to be first performed and then demonstrated. Greek.
- PROBOSCIS, the snout or trunk of an elephant or other animal. Latin.
- PROMINENT, jutting out, projecting forward. Latin.
- PROPOSITION, a point advanced or affirmed with a view to proof. Latin.
- PROXIMITY, nearness. Latin.
- PUPIL, in Optics, the apple of the eye. Latin.
- PYROMETER, a machine contrived to ascertain the degree of the expansion of solid bodies, by the force of fire. Greek.

PYRRHONIST,

PYRRHONIST, an universal doubter and unbeliever; derived from the name of the Man.

Q.

- QUADRANT, the fourth part of a circle; an instrument of that form, contrived to measure and ascertain Latitude. Latin.
- QUADRILATERAL, consisting of four sides. Latin.
- QUOTIENT, in Arithmetic, the number resulting from the division of two numbers, which measure each other. Thus on dividing 36 by 4, we have a *quotient* of 9.

R.

- RADIUS, in English *ray*, a straight line drawn from the centre of a circle or sphere to the circumference. The Latin plural *radii* is in use.
- RAREFACTION, the rendering of a substance thinner, more transparent, it is the opposite of condensation. Latin.
- RATIO, proportion. Latin.
- RATIOCINATION, a process of reasoning, a deduction of fair conclusions from admitted premises. Latin.
- RECIPIENT, that which receives and contains. Latin.
- RECIPROCALLY, mutually, interchangeably. Latin.
- RECTANGULAR, containing one or more right angles. A right angle consists of 90 degrees. Latin.
- RECTILINEAR, consisting of straight lines. Latin.
- REFLECTION, in Catoptricks, the sending back of the rays of light from an illuminated body. Latin.
- REFLUX, the ebbing, or flowing back, of the tide. Latin.
- REFRACTION, in Dioptricks, the deviation or broken off course of a ray of light on passing obliquely from one medium through



- through another, as from air through water or glass. Latin.
- REFRANGIBILITY, disposition to leave the direct course, capability of being broken or refracted. Latin.
- REFRINGENT-MEDIUM, that which alters, or breaks off, the course of rays. Latin.
- REMINISCENCE, the power of recollection, memory. Latin.
- REPULSION, the act or power of driving back. Latin.
- RESINOUS, consisting of, or similar to resin, the fat, sulphureous emanation from certain vegetables. Latin.
- RESONANCE, sound repeated. Latin.
- RESPIRATION, the act of breathing. Latin.
- RETICULATED, formed like a net. Latin.
- RETINA, the delicate, net-like membrane at the bottom of the eye, on which are painted the images of the objects which we contemplate. Latin.
- RETROGRADE, moving in a backward direction. Latin.
- REVERBERATION, the act of beating or driving back. Latin.
- REVERY, loose, wild, irregular meditation.

S.

- SATELLITE, an inferior, attendant planet revolving round a greater. Latin.
- SCALPEL, a surgical instrument used for scraping a bone. Latin.
- SCIENCE, knowledge: in the plural, the seven liberal arts, namely, Grammar, Rhetoric, Logic, Arithmetic, Music, Geometry, Astronomy.
- SEGMENT, in Geometry, part of a circle formed by a straight line drawn from one extremity of any arch to the other, and the part of the circumference which constitutes that arch. The straight line is denominated the chord of the arch, from its resemblance to a bow-string. Latin.

SEMICIRCLE,

- SEMICIRCLE, the half of a circle; the segment formed by a diameter as the chord, and one half the circumference as the arch. Latin.
- SEMITONE, in Music, half a tone, the least of all intervals admitted into modern music. The *semitone major* is the difference between the *greater third* and the fourth, its relation is as 15 to 16: the *semitone minor* is the difference of the *greater third* and the *lesser third*, and its relation is as 24 to 25. Latin.
- SENSATION, perception by means of the senses. Latin.
- SERIES, regular, settled, proportional order or progression, as, in numbers, 9, 18, 27, 36, 45, 54, 63 are in a *series*. The word is the same singular and plural. Latin.
- SEVENTH, in Music, the inverted discordant interval of the *Second*, called by the Ancients *Heptachordon*, because it is formed of seven sounds. There are four sorts of the *seventh*, of which the following are the proportions in numbers; as 5 to 9: as 8 to 15: as 75 to 128: as 81 to 160: it is harsh and unharmonious.
- SOLAR-TIDE, the flux and reflux of the tide relatively to the Sun. Latin.
- SOLUTION, demonstration, clearing up of intricacy or difficulty. Latin.
- SONOROUS, emitting loud or shrill sounds. Latin.
- SPECIES, kind, sort, class: see *Genus*. It is the same in singular and plural. Latin.
- SPECTRUM, an image; a visible form. Latin.
- SPHERE, Globe. Greek.
- SPHEROID, approaching to the form of a sphere, but somewhat lengthened. Greek.
- SPIRITUAL, not consisting of, distinct from matter or body. Latin.
- SUBLIME, elevated in place; in Chymistry, raised by the force of fire. Latin.

SUBTERFUGE,



- SUBTERFUGE**, mean, paltry escape or evasion. Latin.
- SUBTERRANEOUS**, under the surface of the ground. Latin.
- SUBTILE**, thin, not dense, not gross. Latin.
- SUPERFICIAL**, external, extended along the surface. Latin.
- SUPERNATURAL**, what is above or beyond the powers of *Nature*. Latin.
- SURFACE**, in Geometry, length and breadth without thickness. French.
- SYLLOGISM**, in Logic, an argument consisting of three propositions: for example, *Every virtue is commendable: honesty is a virtue; therefore honesty is commendable*. See *Major* and *Minor*. Greek.
- SYSTEM**, a scheme of combination and arrangement, which reduces many things to a regular connection, dependance and co-operation. Greek.

T.

- TANGENT**, in Geometry, a straight line touching a circle externally in a single point. Latin.
- TELESCOPE**, an optical instrument designed, by the magnifying power of glasses, to represent distant bodies as much nearer. Greek.
- TEMPERAMENT**, state of body or mind as produced by, or depending upon, the predominancy of a particular quality. Latin.
- TENSION**, the state of being stretched out, wound up, distended. Latin.
- TENUITY**, thinness, delicate fineness. Latin.
- TERM**, descriptive name, or phrase; component part, condition. Latin.
- TERRAQUEOUS**, consisting of land and water. Latin.

THEOLOGY,

- THEOLOGY**, systematic Divinity. Greek.
- THEOREM**, a proposition announced for demonstration. Greek.
- THEORY**, a doctrine contemplated and conceived in the mind, but not yet confirmed by irresistible argument, or satisfying experiment. Greek.
- THERMOMETER**, an instrument contrived to measure the heat of the air or other body by means of the rising or falling of a spirituous fluid. Greek.
- THIRD**, in Music, the first of the two imperfect concords, so called because it's interval is always composed of two degrees or of three diatonic sounds. The *terce major* or *greater third*, is represented in numbers by the ratio of 4 to 5: and the *lesser*, by the relation of 5 to 6. See Vol. II, Let. VI. and VII.
- TIDE**, the alternate rising and falling of the Water in rivers, and along the shores of the Sea. Saxon and Dutch.
- TONE**, in Music, the degree of elevation which the voice assumes, and to which instruments are adapted, in order to the harmonious execution of a musical composition: a pitch pipe. Latin and Greek.
- TRANSIT**, in Astronomy, the passing of one heavenly body over the disk of another. Latin.
- TRANSMISSION**, permission to pass through. Latin.
- TRANSPARENT**, clear, what may be seen through, as air, water, glass. Latin.
- TRANSVERSE**, in a cross direction. Latin.
- TRIANGLE**, a geometrical figure consisting of three sides and three angles. Latin.
- TUBE**, a pipe; a long hollow body. Latin.
- TUNICLE**, a small coat or covering. Latin.

VACUUM,



VACUUM, empty space. Latin.

VALVE, a moveable membrane in the vessels of an animal body, and imitated by art in the construction of various machines, which opens for giving passage to fluids in one direction, but shuts to oppose their return through the same passage. Latin.

VELOCITY, speed, swiftness of motion. Latin.

VERTICAL, perpendicularly over head. Vertical angles, in Geometry, are those formed by the intersection of two straight lines, in whatever direction, making four in all at the point of intersection, and of which the mutual two and two are equal. Latin.

VIBRATION, rapid, tremulous motion backward and forward. Latin.

VISUAL, relating to vision or sight; belonging to the eye. Latin.

VITREOUS, composed of, or resembling glass. Latin.

VIVID, lively, brisk, sprightly. Latin.

U.

ULTIMATE, final, beyond which there is no farther progress. Latin.

UNISON, emission of the same or harmonious sounds. Latin.

UNTENABLE, what cannot be maintained or supported.

W.

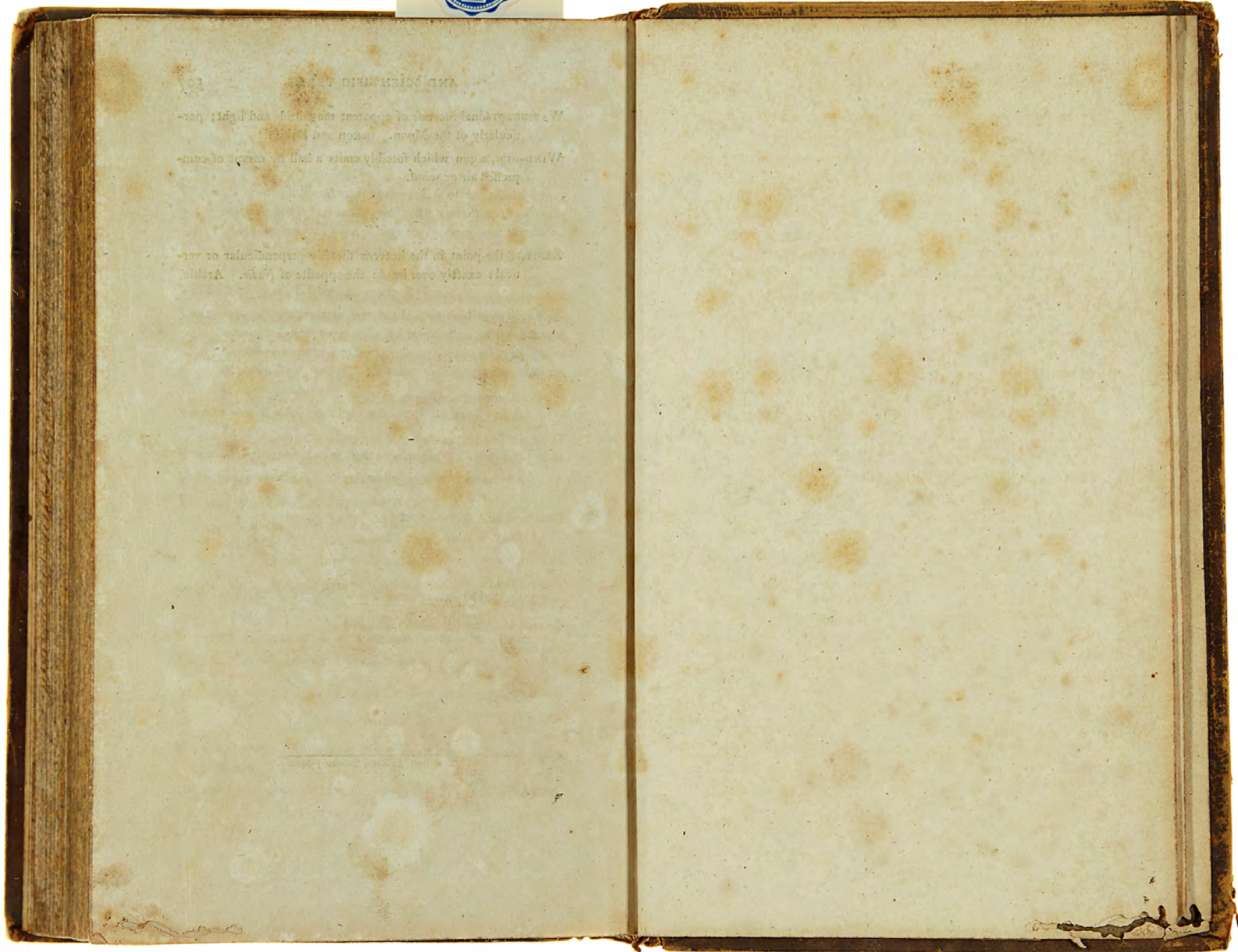
WANING, gradual diminution of apparent magnitude and light. Saxon.

WAXING, gradual increase of apparent magnitude and light; particularly of the Moon. Saxon and Danish.

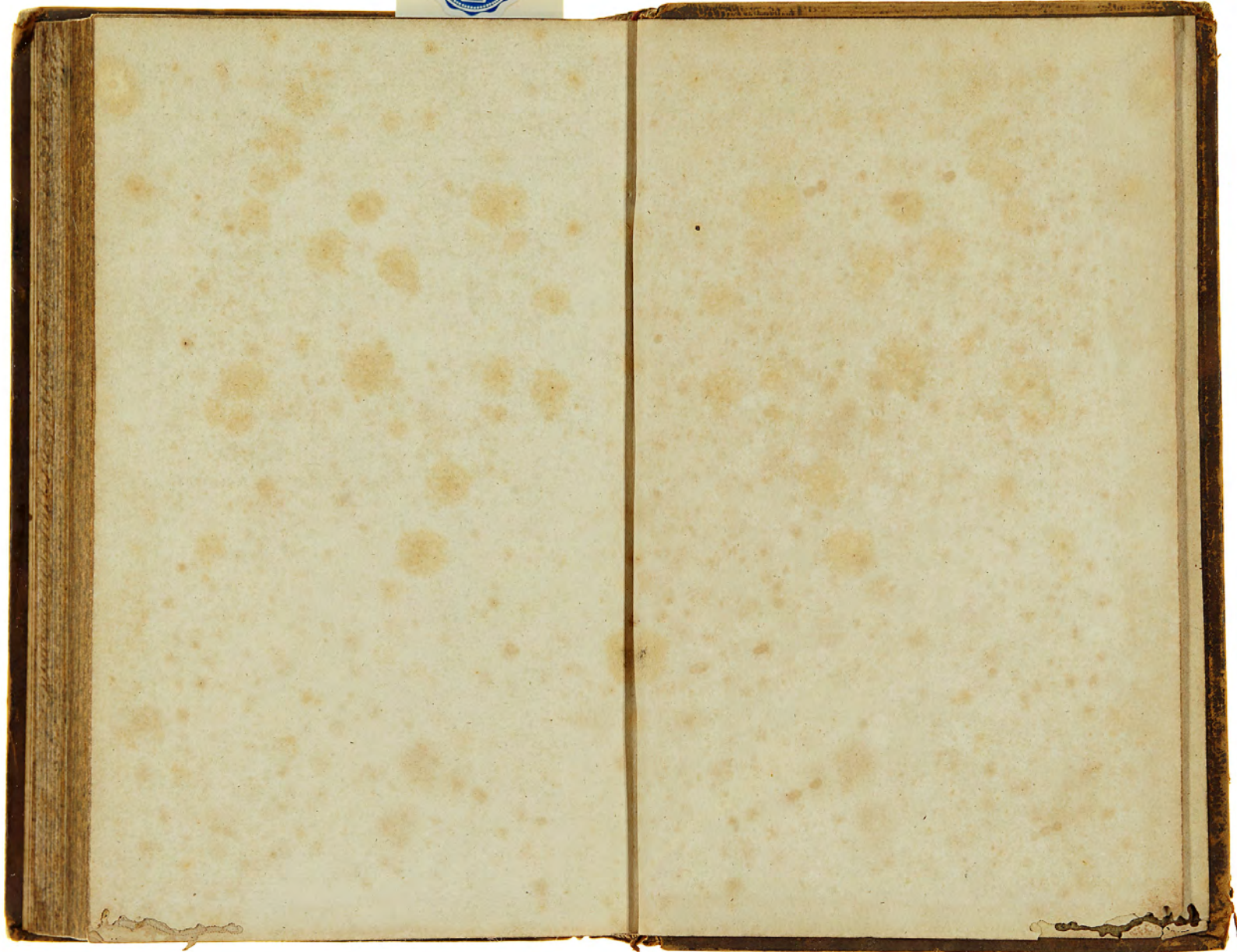
WIND-GUN, a gun which forcibly emits a ball by means of compressed air or wind.

Z.

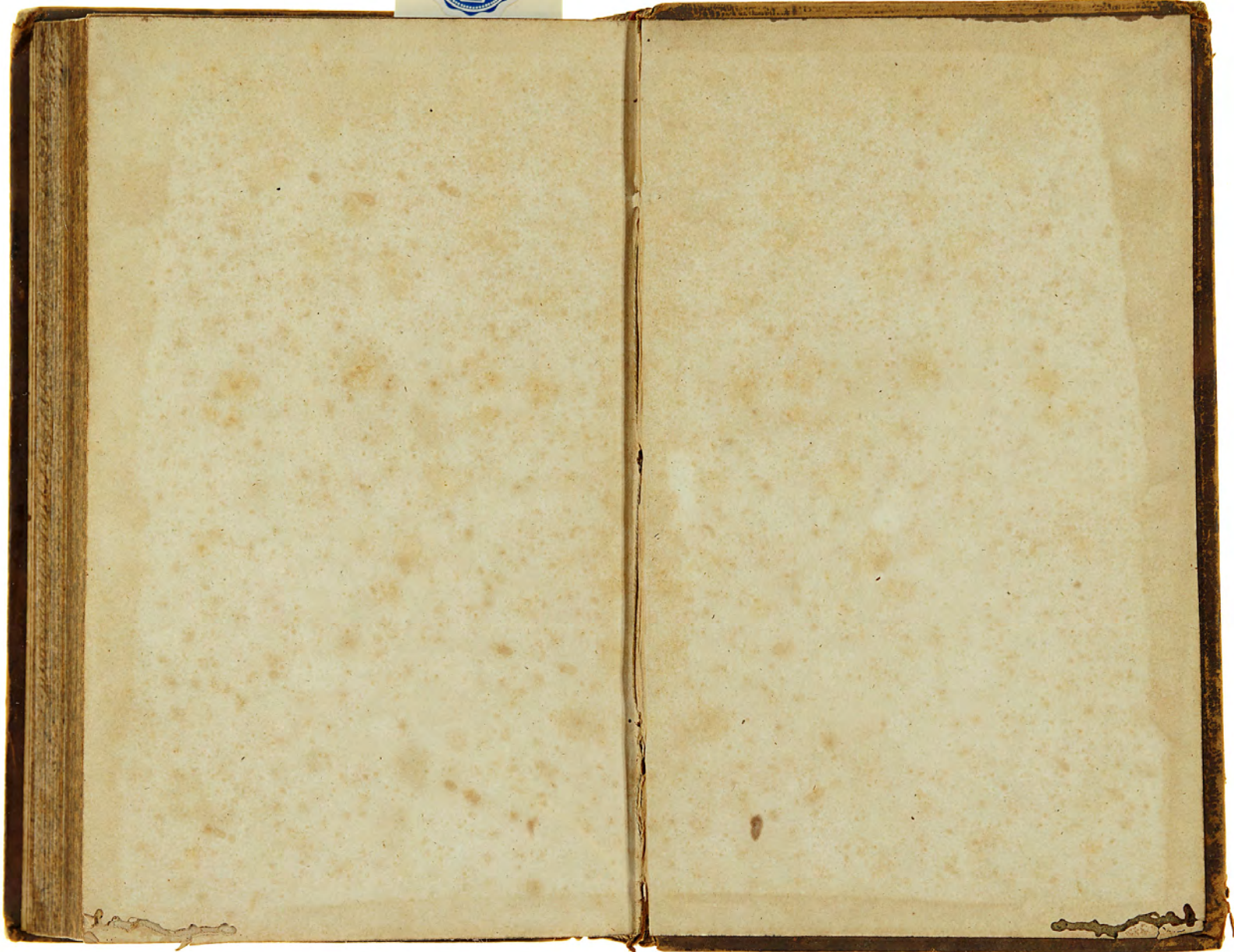
ZENITH, the point in the heavens directly perpendicular or vertical: exactly over head: the opposite of *Nadir*. Arabic.



貴重書



貴重書



貴重書

